Crosstalk limiting schedulers in AWG based optical switches

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Abstract—Optical switching fabrics are gaining interest as in multi Terabit switching devices; the advantages over their electronic equivalents are mainly their information density and power consumption. Arrayed Waveguide Gratings (AWGs) are promising optical devices proposed by the academic and industrial community to build optical switching fabrics. Because of their wavelength routing property, AWGs allow wavelength reuse over different ports introducing in-band crosstalk which strongly limits scalability of AWG-based backplanes. However, this effect can be mitigated or even completely avoided by means of proper scheduling algorithms. In this paper, we present several modified scheduling algorithms which limit the effect of coherent crosstalk in AWG-based switching fabrics and achieve good performance in terms of throughput and delay.

I. INTRODUCTION

To cope with the continuous growth of the Internet traffic, increasing at a pace faster than the Moore’s law, the urgency of deploying multi Terabit packet switches becomes evident. Current electronic technologies may not be able to support the realization of such high-end switching devices because they are approaching their physical limits, especially considering the maximum length that electronic signals can span before requiring regeneration and their increasing power requirements with the bitrate.

On the other hand, optics exhibit a switching complexity which is almost independent of the bit rate, negligible constraints on the length of internal interconnections, good scalability and lower power requirements [1]. One of the most promising approaches to optical switching fabrics is to use a passive wavelength routing device connecting tunable transmitters and fixed receivers. AWGs have been successful in the commercial deployment of Wavelength-Division Multiplexing (WDM) transmission systems. Their use was proposed in [2] in multi Terabit switching devices exploiting the wavelength dimension to perform switching operations. In addition, AWGs are relatively simple passive devices whose insertion losses depend weakly on the port count [3]. However, the shared optical media constituting AWGs strongly limit their scalability; internally, all light flows interfere on a concave slab waveguide to be coupled to the output waveguides; introducing in-band crosstalk when the same wavelength is reused over several inputs simultaneously. As a consequence, additional power is required to correctly receive signals at outputs. The impact of crosstalk in signal degradation has been analyzed in [4], posing a limit on the maximum size of a practical AWG device around 15 ports in the worst case (when all inputs are carrying traffic in the same wavelength).

However, the simultaneous use of the same wavelength can be avoided by properly scheduling packets, controlling the number of ports over which the same wavelength is reused. In [5] and [6], different solutions to control the concurrent usage of the same wavelength were proposed. Those solutions, even though optimal, are highly complex and require specialized hardware implementations.

In this paper we modify well-known scheduling algorithms to respect the wavelength constraint. These algorithms ensure good throughput performance with low complexity, thus offering a practical alternative for scheduling packets through AWG-based optical backplanes.

II. REFERENCE OPTICAL ARCHITECTURE

The optical switching fabric architecture we are considering is shown in Fig. 1(a). It consists of an AWG connecting $N$ tunable transmitters (TTx) and $N$ fixed receivers. AWGs exploit the wavelength dimension to perform the switching operation. A data packet at an input port is forwarded to an output port depending on the input wavelength and port: at each input port, different wavelengths can be used to reach different output ports. As a consequence, at each output port,
information is received from different inputs with different wavelengths. Thus, if enough transceivers are available, an $N \times N$ AWG can be simultaneously traversed by $N^2$ independent data flows, one for each input/output pair, leading to a full mesh connectivity. However, the use of a single transceiver per port, limited to $N$ the maximum number of data flowing through the switch at the same time. The specific wavelengths used to route information through an AWG depend on the design of the device, but commercial AWGs typically follow the standard ITU grid (with 100 GHz or 50 GHz spacing). Although different wavelength assignments are possible, we assume, with no loss of generality, that i) the $N \times N$ AWG operates with a set of $N$ wavelengths $\Lambda = \{\lambda_0, \lambda_1, \ldots, \lambda_{N-1}\}$, and ii) at input $i$, information is delivered to output $j$ (with $i, j = \{0, 1, \ldots, N-1\}$) using wavelength $\lambda_{w}$, with

$$w = (j - i) \text{ mod } N$$

being $w$ the wavelength channel number. As an example, the resulting input-output matrix defining the wavelength routing function of a $5 \times 5$ AWG, named $\lambda$-matrix is described in Fig. 1(b). This cyclic behavior is typical of the interferometric nature of the AWG, whose routing function is replicated over the wavelength axis with a period called Free Spectral Range (FSR). Our assumptions on the AWG behavior imply that only $N$ wavelengths are necessary for the $N^2$ connection permutations over $N$ input and $N$ output ports. This architecture uses a single wavelength per port, derived from the single transceiver architecture, but given that cells can be received on any wavelength, since they can come from any port, receivers must be wide band and operate in burst mode (WBMR). The optical fabric does not include any active switching element: packet switching is actually controlled by the tunable transmitters (implemented with fast tunable lasers) and exploits the wavelength routing property of the AWG-based optical fabric.

III. SCHEDULER FRAMEWORK

The switch is assumed to be synchronous and line cards process packets electronically by implementing input queues and other packet operations at the line card bitrate; this keeps electronic complexity within the single port-speed limit. The scheduler uses Virtual Output Queuing (VOQ) at inputs to avoid the Head of the Line blocking problem. Indeed, VOQs store cells at each input port in $N$ separate FIFO queues, according to their destination port. At each time slot, a scheduler controls the Input Queue (IQ) switch transferring fixed size cells from at the most $N$ inputs to $N$ outputs taking up to one scheduling decision per time slot, since no speedup is available. At each scheduling decision a matching is defined such that at most one cell is transferred from each input port to each output port. Thus, each scheduling decision is a input-output permutation $\pi = [\pi[0], \pi[1], \ldots, \pi[N-1]]$, with $\pi[i]$ denoting the output port which input $i$ is transmitting to. If an optical switching fabric based on AWG is used to forward packets, the scheduler must provide both the input-output permutation $\pi$ and its wavelength assignment $\lambda(\pi)$ (evaluated according to Eq. (1)). In the following, we say that a certain input-output permutation is $k$-legal if no wavelength is used more that $k$ times according to the given wavelength assignment. Hence, $k$ represents the maximum number of times a single wavelength can be used at different input ports during the same time slot.

The problem of constraining wavelength reuse to control crosstalk in AWG-based switching fabric has been addressed and solved in [5], [6]. It is shown that uniform traffic patterns can be scheduled using only 1-legal permutations with no speedup for switches with an odd number of ports and with $1 + 1/N$ speedup for switches with an even number of ports. Those solutions are highly complex, making them not practical. We focus on modifications of iterative maximal size matching algorithms [7], [8], [9] which usually ensure good performance and are simple enough to be implemented in hardware. In order to cope with the wavelength constraint, the proposed schedulers introduce a $\lambda$-phase that ensures that the selected permutations are $k$-legal, i.e., that each wavelength can be used to transmit packets from inputs to outputs at the most $k$ times during the same time slot. As Fig. 1(b) shows, wavelengths on the different anti-diagonals of the $\lambda$-matrix are all different. Thus, a good scheduler have to select input-output pairs belonging to the anti-diagonals with high probability. We refer to an anti-diagonal as a set of $N$ elements in an $N \times N$ matrix, such that no two elements are in the same row or column and they are all different. For instance, in Fig. 1(b) the vector $\{(1, 5), (2, 4), (3, 3), (4, 2), (5, 1)\}$ corresponds to the main anti-diagonal and $\{((1, 1), (2, 4), (3, 2), (4, 5), (5, 3))\}$ is a generalized anti-diagonal.

A. 2DRR, iSLIP and RDSRR

We consider variations of the well-known two-dimensional round-robin (2DRR) [7], of the iSLIP [8] and of the Rotating Double Static Round-Robin (RDSRR) [9] schedulers. We select these algorithms since they achieve good performance and can be easily modified to cope with the wavelength constraint.

In the algorithms we propose each input (output) is identified by a pointer, or arbiter, $p_i^I (p_i^O)$, with $0 \leq i \leq N - 1$ ($0 \leq j \leq N - 1$). In addition, wavelengths are identified by $\lambda$-pointers (or $\lambda$-arbiter) $\lambda_w^I$ and by $\lambda$-counters $c_w^I$, with $w$ being the wavelength identifier ($0 \leq w \leq N - 1$). We briefly recall the original version of these three algorithms.

1) 2DRR: At each time slot, 2DRR scans the request matrix sweeping through a precomputed set of $N$ generalized diagonals. The state of input VOQs is described by the request matrix, which is a matrix whose number of rows is equal to the number of inputs and the number of columns is equal to the number of outputs, and whose elements $(i,j)$ equal 1 if input $i$ at least one packet occupying the VOQ associated with output $j$. A generalized diagonal is a set of $N$ elements in an $N \times N$ matrix, such that no two elements are in the same row or column. Thus, at each time slot, 2DRR analyzes the whole request matrix in $N$ iterations, each iteration being associated with one of the $N$ precomputed diagonals. At each
iteration, 2DRR selects input-output pairs \((i, j)\) which belong to the chosen generalized diagonal and are set to 1, provided that, input \(i\) and output \(j\) are both free, i.e., they have not been previously selected in any of the former iterations of the current time slot. Note that, to cover entirely the request matrix, 2DRR always iterates \(N\) times on each time slot (over the \(N\) different generalized diagonals).

2) iSLIP: iSLIP is a matching algorithm which exploits 2 arrays of \(N\) round-robin arbiters (one for each input and each output). It is based on three sequential steps which are performed in parallel on each input and output. At the beginning of each time slot, inputs and outputs are unmatched by default. The first iSLIP step is the Request phase: each unmatched input sends a request to every output for which it has a cell in the VOQ. The second step is the Grant phase (from outputs to inputs): if an unmatched output receives requests, it sends a grant to one of the inputs. Each output chooses the first requesting input found in a fixed round-robin scan of inputs starting from the highest priority element (indicated by the requesting input found in a fixed round-robin scan of inputs \(p_i\)). The output notifies each input whether or not its request was granted. The final step is the Accept phase: if an input receives a grant, it accepts the one that appears first in a round-robin scan starting from the highest priority element (indicated by the input pointer \(p_{i}^{t}\)). These three steps are iterated several times to progressively increment the matching size on each iteration. Both input and output pointers indicating the highest priority element of the round-robin schedule are incremented (modulo \(N\)) to one location beyond the granted input if, and only if, the grant is accepted during the Accept phase.

3) RDSRR: RDSRR differs from iSLIP because of its pointer updating rule. Indeed, iSLIP performance relies on its ability to desynchronize the arbiters to point to different input-output pairs. The RDSRR scheduler still performs a Request, Grant and Accept phase but, pointers are always updated by one (modulo \(N\)) whether there is a grant or not to force full pointer desynchronization.

B. \(\lambda\)-2DRR

The \(\lambda\)-2DRR scheduler follows the same logic of the 2DRR algorithm, but, it exploits the \(N\) generalized anti-diagonals to scan over the request matrix. The selection of the anti-diagonals as a covering set of the request matrix implies that all the input-output pairs belonging to the same anti-diagonal can be transmitted using a different wavelength. Thus, the \(\lambda\)-2DRR minimizes the probability of contentions when choosing a wavelength. To ensure fairness, at each time slot, the initial anti-diagonal changes according to a fixed round-robin scheme. At the beginning of each time slot all the \(\lambda\)-counters are initialized to \(c_{w_{i}}^{N} = 0\) \(\forall w\) and each time wavelength \(w\) is used to match an input to an output \(c_{w_{i}}^{N}\) is incremented by one. The \(\lambda\)-2DRR selects input-output permutations \((i, j)\) which belong to the chosen generalized anti-diagonal, provided that, the element \((i, j)\) of the request matrix is set to 1, input \(i\) and output \(j\) are both free and their selection does not violate the \(k\)-legal constraint, i.e., the usage of wavelength \(w = j - i \mod N\) can be granted if \(c_{w_{i}}^{N} < k\).

C. Centralized-iSLIP

The main gear of the centralized-iSLIP (C-iSLIP) is the \(\lambda\)-vector, an array containing the \(N\) \(\lambda\)-counters \(c_{w_{i}}^{N}\). Thus, each of its elements is associated with a specific wavelength and records the number of times that a wavelength has been used during the current time slot. All the elements of the \(\lambda\)-vector are initialized to \(c_{w_{i}}^{N} = 0\) at the beginning of a time slot.

The Request and Accept phases do not change. However, the Grant phase changes as follows: sequentially, each unmatched output \(j\) selects, among all the requests, the one coming from the highest priority input \(i\) (indicated by \(p_{i}^{Q}\) and it sends a request to the \(\lambda\)-vector for \(\lambda_{w}\), with \(w = j - i \mod N\). The scheduler checks \(c_{w_{i}}^{N}\) and it grants \(\lambda_{w}\) to the requiring output if \(c_{w_{i}}^{N} < k\), with \(k\) being the maximum number a wavelength can be used at each time slot; if \(\lambda_{w}\) is granted, \(c_{w_{i}}^{N}\) is incremented by one. Note that, the use of this wavelength is still subject to the Accept phase at the inputs. In the C-iSLIP, the Accept messages are sent from inputs to outputs and propagated to the wavelengths. If \(\lambda_{w}\) can not be used because its granting violates the \(k\)-legal constraint (i.e., \(c_{w_{i}}^{N} \geq k\)) the \(\lambda\)-vector does not grant the requiring output indicating that the wavelength request is Not ACKnowledged (NACK).

Once an output receives the ACK/NACK for the requested wavelength, the next output of the round-robin scheme is served. To be fair, at each time slot, the first output sending a request to the \(\lambda\)-vector is selected according to a round-robin scheme. After all the outputs have sent a request to the \(\lambda\)-vector, outputs which are still not matched to any wavelength (received a NACK) send another request for the wavelength corresponding to the input with the next highest priority. The Grant phase terminates either when all the outputs are matched to one wavelength, or when there are no requests from inputs left. The algorithm can perform several iterations, repeating the same procedure considering only unmatched inputs and outputs during previous iterations. Fig. 2 shows an example of the C-iSLIP sequence of operations when several inputs require output \(O_{j}\) which selects input \(I_{0}\) for transmission.

The main issue of C-iSLIP is that it can not be executed in parallel (all the outputs need to access sequentially the \(\lambda\)-vector). The Distribute-iSLIP and the \(\lambda\)-RDSRR schedulers solve this problem.

D. Distributed-iSLIP

In the Distributed-iSLIP (D-iSLIP) each of the \(N\) wavelengths is associated with a \(\lambda\)-pointer \((p_{w_{i}}^{Q})\) and a \(\lambda\)-counter \((c_{w_{i}}^{N})\) that manages priorities among the different wavelengths.

The Request and Accept phases are unchanged, whereas the Grant phase is now divided in two steps (see Fig. 3). During the first step of the Grant phase (from outputs to wavelengths), the outputs forward the requests received (during the Request phase) to the corresponding \(\lambda\)-pointer according to Eq. (1). In the second step (from wavelengths to outputs and from
The Requests and Grants phases are identical to iSLIP (except that pointer updates are independent of assignments) and the Accept phase is postponed to the λ-phase, which is composed by the following two steps. The first step is the Wavelength-Request step: if an input receives one or more grants, it selects the one which appears next in a fixed round-robin schedule, starting from the input pointer $p_{\lambda}^W$ and requests the associated transmission wavelength $\lambda_w$ to the corresponding wavelength pointer according to Eq. (1). The second step of the λ-phase is the Wavelength-Grant step: for each $\lambda_w$, the first $\lambda_{\lambda_w}^W$ requests following the fixed round-robin schedule starting from the first highest priority input (as indicated by $p_{\lambda}^W$). The counter $c_{\lambda}^W$ is updated to reflect packet assignments, i.e., it is updated only if the input-output permutation has been definitively selected by the scheduler during the Accept phase. The scheduler can run more iterations, at each iteration considering only inputs and outputs which are still free and wavelengths which are still compliant with the $k$-legal constraint $(c_{\lambda}^W < k)$.

To maintain the initial pointers’ scheme which gives priority to input-output pairs on the anti-diagonal, at each time slot $p_{\lambda}^I$ and $p_{\lambda}^O$ pointers are incremented (modulo $N$) while $p_{\lambda}^W$ pointers are decremented (modulo $N$) regardless of the packet assignments. Furthermore, the search direction is reversed each time slot to improve fairness in case of non uniform traffic [9].

IV. RESULTS

We present here the performance of the proposed algorithms through simulations. Each input is equipped with $N$ queues, one for each output, with a capacity of 10000 cells at each queue. C-iSLIP, D-iSLIP and λ-RDSRR iterates $\log_2(N)$ which usually is enough to ensure that the found matching is maximal. By definition, λ-2DRR iterates $N$ times. In the reported plots $N$ indicates the switch number of ports, $k$ indicates the $k$-legal constraint and $I$ denotes the number of iterations each algorithm runs at each time slot.

Due to space limitations, we present results for uniform traffic scenario. Let $\rho_i$ be the load at input port $i$ with $0 \leq i \leq N - 1$, and $\rho_{ij}$ the traffic that input port $i$ transmits to output port $j$. In uniform traffic, $\rho_{ij} = \frac{\rho_i}{N}$.

Fig. 4 shows the delays for the different algorithms we propose under uniform traffic conditions when the switching...
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Fig. 4. Delay performance for AWG-based switch with an even number of ports \((N = 32)\) and an odd number of ports \((N = 31)\) fabric presents either an even number of ports \((N = 32)\) - white-filled markers) or an odd number of ports \((N = 31)\) - black-filled markers). For odd \(N\) switching fabrics, all the schedulers ensure good performance, the \(\lambda\)-RDSRR shows higher delay because of the fixed pointer updating scheme. The D-iSLIP, the \(\lambda\)-2DRR and the \(\lambda\)-RDSRR ensure almost 100% of throughput, while the delays for C-iSLIP saturate for an input load around 0.9. Performance worsens for AWG-based switching fabrics with an even \(N\) and no algorithm is able to achieve 100% of throughput. Again the one performing the worst is the \(\lambda\)-RDSRR followed by the \(\lambda\)-2DRR. Note that, these results agree with the theoretical results presented in [6] where the authors showed that for AWG-based switching fabric with an even \(N\), the maximum achievable throughput is limited to \(1 - 1/N\) if no speed up is available.

Fig. 5. Delay performance of the different algorithms under uniform traffic when either 1-legal or 2-legal permutations are allowed.

Fig. 5 shows the delay performances for a \(N = 31\) ports switch when either 1-legal (black-filled markers) or 2-legal (white-filled markers) permutations are allowed. The relaxation of the \(k\)-legal constraint reduces delays since it easier for the scheduler to find an allowed matching. The \(\lambda\)-RDSRR is the algorithms whose performance improves the most passing from \(k = 1\) to \(k = 2\), since it becomes easier to find input-output permutations which do not belong strictly to the anti-diagonals. Indeed, the \(\lambda\)-RDSRR pointer updating rule is fixed and does not depend on the packets forwarded by the switch. C-iSLIP performance improvement is remarkable too, since it is not able to achieve 100% when \(k = 1\), while it ensures 100% of throughput when \(k = 2\). The D-iSLIP and the \(\lambda\)-2DRR schedulers proved themselves less sensitive to the \(k\)-legal constraint, indeed, only a marginal improvement in the delay can be observed.

V. Conclusions

We presented four heuristics based on maximal size algorithms solutions to control optical backplanes and we evaluated their performance. All the proposed algorithms are simple enough to be easily implemented in hardware and, in particular, the D-iSLIP algorithm achieves the best performance in term of throughput and delay. Thus, even though sub-optimal, the proposed algorithms seem to be good candidates to schedule packets in future optical switching fabrics. Finally, the proposed heuristics allow to drastically overcome the in-band crosstalk limitation to scalability of AWG-based switching fabrics, without worsening performance neither increasing significantly the scheduler complexity; thus, making AWG a viable solution to build future all-optical switching fabrics.

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