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The simultaneous measurement of the spatial coordinates and times of  $\bar{p}$ s annihilating at rest in a H<sub>2</sub> target at very low density  $\rho$  ( $\rho/\rho_0 < 10^{-2}$ ,  $\rho_0$  being the STP density) gives the possibility of evaluating the behavior of the  $\bar{p}$  stopping power in  $H_2$  at low energies (below 120 keV). It is different from that of protons (the Barkas effect). Moreover, it is shown that a rise at low-energy values (≲1 keV) is needed to agree with experimental data.

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Following the original work of Bohr [1] the highenergy (projectile velocity  $\gg e^2/\hbar$ ) behavior of the stopping power is very well described by the Bethe [2] formula for a point charge penetrating through matter at nonrelativistic speed; it is proportional to the projectile charge squared  $(Z_1^2)$ . Focusing on protons and antiprotons  $(\overline{p})$  as projectiles at low velocity  $(v \approx e^2/\hbar)$  the Born series is generally assumed to fail and other methods of calculating the consequences of collision are required. At very low velocity  $(v < e^2/\hbar)$  a proton loses energy not only in electronic collisions which lead to excitation and ionization; elastic scattering by the screened nuclei is also important. For protons, the electronic stopping power has a maximum around the typical electron velocity, i.e.,

 $\approx$  55 keV for  $H_2$ . Around and below the maximum, measurements are not well reproduced by theoretical estimates. The electronic contribution to the total energy loss in hydrogen is commonly assumed (e.g., in published tabulations [3]) to decrease linearly with the proton velocity for energies below 10 keV; see also Ref. [4].

For antiprotons, even the qualitative behavior of the stopping power is only poorly evaluated [5-9]. For  $\bar{p}$  's at very low velocities, the energy loss due to excitation and ionization is expected to be considerably enhanced due to the so-called adiabatic ionization processes (see Refs. [5-7]). For close collisions the passage of a  $\bar{p}$  inside the orbital radius of a target electron will reduce the effective nuclear charge seen by the electron which will lead to a release of the electron. This fact was first pointed out by Fermi and Teller [10], who specifically considered the ground state of a system consisting of a negative muon and a molecule. The molecular mechanism peculiar to the case of hydrogen has been worked out by Wightman [5]. For antiprotons colliding with atomic hydrogen, Kimura and Inokuti [6] used a molecular-orbital expansion method to show that if the antiproton comes within a distance  $R_x = 0.64a_0$  ( $a_0$  is the Bohr radius, 0.053 nm) from the proton, then the target is ionized (the same  $R_x$  was found by Fermi and Teller).

Furthermore, a difference in the stopping power for positive and negative particles (the Barkas effect) [11] has been known for a long time, but lack of suitable antiparticle beams has prohibited quantitative studies [12-23] of the effect until recent years [24-26].

With the advent of LEAR (low-energy antiproton ring) at CERN, a high-quality beam of antiprotons at low energies became available, permitting accurate measurements of the stopping power for antiprotons down to 200 keV [24–26] and their ionization [27–29].

To study  $\bar{p}p$  annihilations at rest, the OBELIX collaboration [30] has realized a very low-density hydrogen target, the ratio between the experimental density  $\rho$  and the STP density  $\rho_0$  ranging from  $10^{-2}$  to  $10^{-3}$ , and a total of some  $10^5$  annihilation events has been collected. These data are of great interest for the evaluation of the  $\bar{p}$  stopping power particularly from the energy region just above the maximum down to some hundreds of eV.

The LEAR machine delivers to our experiment a monochromatic 105-MeV/c  $\overline{p}$  beam, which passes through some materials (a Be window closing the beam pipe, a thin scintillator detector  $S_0$ , variable air, and Mylar sheets) before entering the ultrapure (less than 1 ppm of other gases) hydrogen target, 75 cm long and 30 cm in diameter. To maximize the fraction of  $\bar{p}s$  annihilating at rest in the target it is desirable that the largest number of  $\overline{p}s$  enter the target volume with a narrow momentum bite and the appropriate nominal momentum. In the best arrangement  $\approx 45\%$  of  $\overline{ps}$  are stopped in the Mylar window at the entrance of the target and the remaining ones enter the target volume with a momentum spectrum ranging from 0 to  $\approx$ 43 MeV/c. We measure this value with an empty target ( $<10^{-5}$  mbar) by time of flight. More details of the experimental technique are given in Ref. [30]. We have used three  $H_2$  pressure values ( $p_1 = 8.20 \pm 0.05$ ,  $p_2 = 4.10 \pm 0.05$ ,  $p_3 = 2.10 \pm 0.05$  mbar) to which correspond three different  $E^{\max}(p_j)$  for the kinetic energy of  $\overline{p}s$  stopping and annihilating in the  $H_2$  gas just before the end of the target. More important, the energy spread (from the minimum zero energy at the entrance) produces a distribution of the stopping points of the  $\overline{p}s$  in the (z,t) plane.

Figure 1 shows the distribution of the experimental mean annihilation times  $(t_a)$  in the target as a function of the path length (along the z beam direction) for the three values of the pressure. Experimentally,  $t_a$  for each event is measured by the time at which the charged particles produced in the annihilation hit the scintillator barrel surrounding the target, relative to the starting time  $t_0$ given by the  $\bar{p}$  crossing the beam scintillator counter. The time resolution is better than 1 ns. The annihilation times distributions are convolutions between the times of moderation (t) until the  $\overline{p}s$  capture and the cascade times  $(t_{\rm cas})$  of the protonium atoms. We plotted the distribution of  $t_a$  corresponding to a bin in z of 2 cm, the experimental spatial resolution being 1 cm. We found that all the distributions obtained in this way, well populated statistically, had a constant width and were fully consistent with Gaussian distributions (see Fig. 2). As discussed in Ref. [30], this circumstance allowed us to determine the  $(\bar{p}-p)$  atom cascade widths. Furthermore, it indicates that a continuous slowing down picture for the  $\bar{p}$  stopping power, S(E), may well be adopted. The error on the experimental mean values of  $t_a$  for each bin in z is negligible.

The experimental information contained in Fig. 1 may well be related to S of  $\bar{p}$ . In fact the  $\bar{p}$  total path length R is evaluated by integration of S,

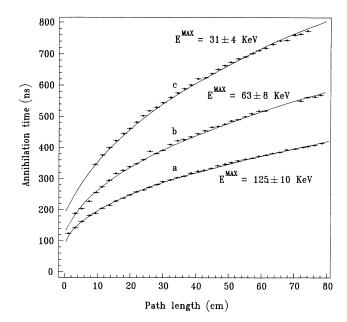


FIG. 1. Bidimensional distributions of the mean  $\bar{p}p$  annihilation times  $(t_a)$  in the target as a function of the annihilation coordinate z for 8.2 mbar, curve a, 4.2 mbar, curve b, and 2.1 mbar, curve c H<sub>2</sub> pressure values compared with the results of our best-fitting function; see Fig. 3.

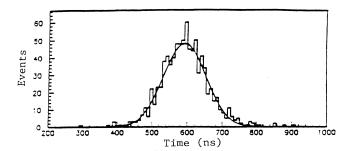


FIG. 2. A typical experimental annihilation time distribution for a 2-cm-wide bin for events in the target at a  $H_2$  pressure of 2.1 mbar.

$$R = \int_{\overline{E}_{\text{cap}}}^{E_i} \frac{dE}{S(E)} \tag{1}$$

and, analogously, the mean moderation time t by

$$t = t_a - t_{\text{cas}} = \int_{\overline{E}_{\text{cap}}}^{E_i} \frac{dE}{vS(E)} , \qquad (2)$$

 $E_i$  being the variable kinetic energy of each  $\bar{p}$  at the beginning of the target.

Two parameters enter in the annihilation distributions in the target, apart from S: (i) the mean kinetic energy of  $\overline{p}s$  captured by protons  $(\overline{E}_{\rm cap})$  and (ii) the mean cascade time of the  $(\overline{p}-p)$  atom,  $(t_a-t)$ , which is different at the three pressures; see Ref. [30]. The experimental data are the  $(R_i, t_i + t_{cas})$  mean values for the three situations;  $0 \le E_i \le E^{\max}(p_i)$  with  $E^{\max}(p_3) < E^{\max}(p_2) < E^{\max}(p_1)$ . We outline that, contrary to what was done with different probes (e.g.,  $\mu^{\pm}$ ), S is determined, with our technique, by the simultaneous solution of both space and time relationships (1) and (2). This is possible only with  $\overline{p}s$ , due to their specific feature of the annihilation and with a sophisticated and complete apparatus like OBELIX. In particular, the use of (2) allows us to avoid ambiguities or corrections inevitable in measurements in which only the spatial coordinate relationship (1) is used, and then S is derived from the projected range and not from the total range. Moreover, even if we suppose that around 10% of events (typically with the higher annihilations times in any 2-cm-wide bin) are characterized by a greater total path length and the proper positioning would be in the neighboring bin, our distributions in practice do not change.

By numerical integration and with  $\overline{E}_{\rm cap} \leq 10$  eV (see, e.g., Ref. [31]), we have obtained the best fit to the data (solid line in Fig. 1) by means of the well-known parametrization [3]  $S^{-1} = S_{\rm low}^{-1} + S_{\rm high}^{-1}$ , with  $S_{\rm low} = \alpha E^{\beta}$  and  $S_{\rm high} = (242.6/E) \ln(1+1.2\times10^4/E+0.1159E)$ , E being measured in keV. The fit was performed for the data between 0.7 and 120 keV and we obtained  $\chi_r^2 = 0.57$  (99 degrees of freedom). Other parametrization functions furnished bad values of  $\chi_r^2$ . So, our methodology makes it possible to argue quantitatively that the present result is a good approximation to the real stopping power. Figure 3 shows a comparison of the best-fitting function (curve b)

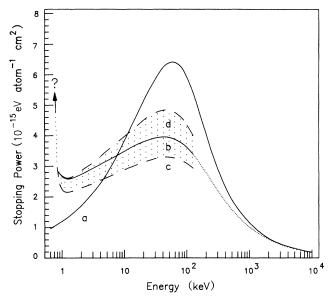


FIG. 3. Comparison between the proton stopping power in  $H_2$ , curve a from Ref. [3], and the region (the dotted area) of acceptable behaviors for the antiproton one. Curve b is our best-fitting function and curves c and d are examples of limiting acceptable behaviors. A fast rise below 0.7 keV, necessary to explain the data but not used in the fit, is indicated by a dotted line

with that for the proton (curve a).

The best-fitting value for  $S_{low}$  did not affect the behavior of S at high energies. Its relative importance is, e.g., 1% at 10 MeV.

Furthermore, an increase of S below 0.7 keV is necessary in order to explain the experimental data. This is clearly shown in Fig. 4. It appears that, even by assum-

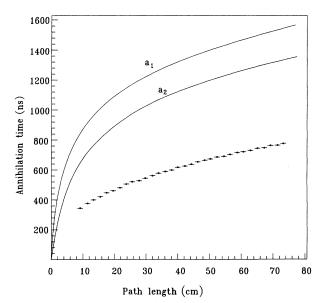


FIG. 4. Comparison between experimental data at 2.1 mbar hydrogen pressure and proton behavior after Andersen and Ziegler [3], with  $\overline{E}_{\rm cap} \le 10$  eV,  $t_{\rm cas} = 200$  ns, curve  $a_1$ , and  $t_{\rm cas} = 0$  ns, curve  $a_2$ .

ing  $t_{\rm cas} = 0$ , no agreement with the data can be obtained by using an extrapolation down to zero proportional to v, as used for protons by Andersen and Ziegler [3]. This conclusion is independent from the circumstance that in (1) we use R projected, that we measure, instead of R. In order to explain the experimental data without a fast rise of S we would need a reduction (and not an increase) of R by a factor 10.

The following remarks may be drawn.

- (i) Between 10 and 120 keV the mean  $\bar{p}$  stopping power in  $H_2$  is systematically lower than that of proton. We recall that Sørensen [9] evaluated  $\bar{p}$  stopping power about half that of proton below the stopping maximum.
- (ii) The maximum in the  $\bar{p}$  stopping power is  $\approx (60\pm13)\%$  of that for proton.
- (iii) The  $\bar{p}$  stopping power crosses that of the proton below 10 keV.
- (iv) With such a  $\overline{p}$  stopping-power behavior, the cascade times at the three pressures  $p_1$ ,  $p_2$ , and  $p_3$  turn out

to be  $100\pm10$ ,  $135\pm15$ , and  $200\pm25$  ns, in good agreement with our previous conclusions [30].

In conclusion, the Barkas effect for hydrogen shows up clearly. We answer positively also as to the existence of a maximum in the antiproton stopping power, as for proton, a question that has been posed; see, e.g., Refs. [9,16]. Finally a fast rise of the stopping power below 0.7 keV is observed, in agreement with the qualitative previsions [6,7] originally proposed by Fermi and Teller [10], and evaluated for hydrogen by Wightman [5]. A rise of the stopping power near zero kinetic energy was highlighted in the  $\mu^-$  stopping cross section evaluation by Cohen [32], and indicated also by the indirect measurement of the energy loss of  $\mu^-$  in helium by Kottmann [33].

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