Evaluation of Radiation Thermal Resistances in Industrial Motors

Aldo Boglietti, Member, IEEE, Andrea Cavagnino, Member, IEEE, Marco Parvis, Senior Member, IEEE, and Alberto Vallan

Abstract—This paper deals with the role of the radiation thermal resistances in industrial motors and describes a test set useful for the resistance evaluation. The test set is based on a vacuum chamber and on a numerical acquisition system, and the resistances are obtained by monitoring motor temperatures during a heating test. An analytical model that describes how the radiation resistance depends on the motor temperature is also provided. Experimental results obtained on a totally enclosed fan-cooled 150-W induction motor are shown and discussed.

Index Terms—Induction motors, thermal analysis and models, thermal radiation phenomena.

I. INTRODUCTION

NOWADAYS, there is a growing interest in the electrical machine thermal analysis because a correct thermal design allows significant improvements to be obtained in the overall motor performance. As a consequence, accurate and reliable motor thermal models are nowadays an important tool for electrical motor design.

In this field, one of the more discussed problems is the role that radiation heat transfers have in electrical motors because literature lacks of experimental results concerning the measurement of motor radiation resistances. Radiation phenomena occur both inside and outside the motor, but are difficult to be analytically quantified because motor frames and windings are complex geometrical structures whose emissivities are often known with large uncertainties.

Moreover, radiation heat transfers almost always occur in parallel with natural and forced convection heat transfers; thus, it is also complex to separate the two contributions.

For these reasons, thermal models are frequently based on the assumption that the highest temperatures involved in the motor frame are not high enough for getting radiation significant. Although this is true when the motor is cooled with a fan (e.g., in TEFC motors used in variable-speed drives).

The aim of this paper is to analyze and experimentally quantify the thermal exchanges by radiation that occurs in industrial motors in order to quantify the radiation contribution in the overall thermal exchange.

Radiation phenomena occur both inside and outside the motor. First, the heat exchange that involves the motor housing is taken into account, and a test set useful for the evaluation of the housing radiation resistance is proposed and described. Afterward, the paper is focused on the radiation phenomena inside the motor, and a procedure for the estimation of the radiation-related resistances is described.

II. RADIATION THERMAL EXCHANGE BETWEEN HOUSING AND AMBIENT

From a theoretical point of view, the analysis of the thermal behavior of a motor requires the knowledge of the thermal resistances related to the heat exchanges that occur inside and outside the motor [1], [2]. In particular, the total heat amount $P_T$ that the motor transfers to the surrounding environment is the result of three physical processes, namely: 1) forced and natural convection; 2) conduction; and 3) radiation. Fig. 1 shows the simplified thermal model that can be used to take the effect of each process into account by means of four lumped, but nonconstant, resistances.

In the model of Fig. 1, the air, the motor support, and the room wall temperatures are equal to the air temperature $T_0$.

Resistances $R_0$ and $R_{ec-a}$ are related to natural and forced convection phenomena, whereas resistances $R_r$ and $R_c$ are responsible for the heat transfer due to radiation and conduction.
Resistances $R_0$ and $R_{cc-a}$ can be obtained by means of simple temperature measurements [10]. Inasmuch as $R_c$ is depending on the mounting conditions, it is here not taken into account for simplicity reasons.

The radiation resistance $R_r$ depends both on the geometrical and thermal characteristics of the motor and on the characteristics of the room where the motor is working. This resistance is often neglected because, when the motor is running at its nominal speed, the forced convection is the main responsible of the motor cooling, so that the radiation resistance $R_r$ is much higher than the forced convection resistance $R_{cc-a}$. However, in some situations, in particular when TEFC motors are used in variable speed drives, the radiation resistance can play a not negligible role at low speed, and an estimation of this resistance has to be done. Obviously, this consideration is also true in motors without ventilation such as machines designed for axis drives. Making reference to the model of Fig. 1, the measurement of the radiation resistance can be easily obtained from the measurements of the power $P_T$ and of the motor and wall temperatures $T_s$ and $T_w$, when the resistances $R_0$, $R_{cc-a}$, and $R_c$ are much greater than the radiation resistance $R_r$. This condition can be obtained by suspending the motor under test inside a vacuum chamber, so that both the convection and the conduction heat-transfer processes are negligible. If the motor is heated through its stator winding with a power $P_T$, the radiating resistance $R_r$ can be evaluated as

$$ R_r = \frac{T_s - T_w}{P_T} \quad (1) $$

where $T_w$ is the chamber wall temperature and $T_s$ is the motor housing temperature measured after the thermal transient and considered uniform on the respective surfaces.

It is evident that the thermal resistance $R_r$ is strictly dependent on the test conditions (the temperatures $T_s$ and $T_w$ and the chamber geometrical and thermal characteristics). Therefore, the measured resistance cannot be employed as a constant into the model of Fig. 1 when the motor works outside the chamber with different temperatures. In this case, the radiation resistance can be approximately estimated as described in the following.

The total radiation heat transferred from the motor to the surrounding ambient is the difference between the emitted and the absorbed heat [6]. When the motor is working in rooms where the surface walls have a much more extended area with respect to the housing surface, it is possible to approximate the room as a blackbody. The total radiant heat can, therefore, be written as

$$ P_T = A \sigma \varepsilon (T_s^4 - T_w^4) \quad (2) $$

where

- $\sigma$ Stefan–Boltzmann constant, $5.67 \times 10^{-8}$ (W/m$^2$/K$^4$);  
- $T_w$ absolute temperature of the wall (K);  
- $T_s$ temperature of the motor housing;  
- $\varepsilon$ apparent [7] emissivity coefficient of the motor surface;  
- $A$ motor surface area (m$^2$);  
- $P_T$ active power absorbed by the motor during steady thermal conditions.

Equation (2) can be employed to evaluate the radiation thermal resistance when the walls and/or the motor temperatures are slightly different from the test ones. When the motor temperature and the wall temperatures are $T_s'$ and $T_w'$, the radiation resistance can be obtained from (1) and (2) as

$$ R'_r = R_r \frac{T_s' - T_w'}{T_s - T_w} \frac{T_s^4 - T_w^4}{T_s'^4 - T_w'^4} \quad (3) $$

III. EXPERIMENTAL RESULTS

An induction motor was tested with the proposed test set, and the thermal resistances $R_0$ and $R_r$ were measured. The motor under test is a 380/220-V TEF induction motor employed to drive a cooling fan of a spindle dc motor; rated power and rotor speed are 150 W and 2800 r/min, respectively. The motor was hanged in a vacuum chamber, which is normally employed for lyophilization processes, over two thin plastic wires to make the conduction thermal exchange negligible. A programmable power supply and a power control system were employed to supply the motor with a dc constant power $P_T = 7 \pm 0.1$ W during the test.

Temperatures of motor and chamber walls were measured and acquired by means of seven thermocouples connected to an automatic data acquisition system. Fig. 2 shows the arranged
test set. The measured temperatures are shown in Fig. 3 along with the winding temperature $T_{cu}$ that was indirectly measured from the winding resistance.

The motor was firstly preheated in the air to speed up the test duration, and after about 2 h from the beginning of the test, the vacuum pump was turned on so that the pressure inside the chamber went down below 1 Pa. At the end of the thermal transient (about 8 h), the housing and wall temperatures were $T_{sv} = 41.5 \pm 0.5 ^\circ C$ and $T_{wv} = 24.1 \pm 0.5 ^\circ C$, respectively.

The measured radiation resistance is, therefore,

$$R_r = \frac{T_{sv} - T_{wv}}{P_T} = 2.5 \pm 0.2 \text{ K/W.} \quad (4)$$

The natural convection resistance was also measured in the same chamber with the motor in the same position but in the presence of air. Fig. 4 shows the temperatures of the motor housing and air recorded when the motor heating power was $P_T = 7 \pm 0.1$ W. At the end of the thermal transient, after about 5 h, the housing and wall temperatures were $T_{sa} = 27.8 \pm 0.5 ^\circ C$ and $T_{wa} = 16.2 \pm 0.5 ^\circ C$, respectively. In this condition, the equivalent thermal resistance is computed by

$$R_{eq} = \frac{T_{sa} - T_{wa}}{P_T} = 1.7 \pm 0.2 \text{ K/W} \quad (5)$$

where $R_{eq}$ is the parallel between the natural convection resistance $R_0$ and the radiating resistance $R'_{r}$ at the temperatures ($T_{sa}$, $T_{wa}$). The natural convection resistance $R_0$ of the motor can be therefore obtained if the radiation resistance at the temperatures ($T_{sa}$, $T_{wa}$) is known. The corrected radiation resistance $R'_{r}$ can be obtained from $R_r$ with (3) as shown in (6)

$$R'_{r} = R_r \frac{T_{sa} - T_{wa}}{T_{sv} - T_{wv}} \frac{T_{sa}^4 - T_{wv}^4}{T_{sa}^4 - T_{wa}^4} = 2.8 \pm 0.2 \text{ K/W} \quad (6)$$

and it is thus possible to obtain the natural convection resistance by (7)

$$R_0 = \frac{R_{eq} R'_{r}}{R'_{r} - R_{eq}} = 4.1 \pm 1.3 \text{ K/W.} \quad (7)$$

The obtained results show that, at the test temperatures ($T_{sa} = 27.8 ^\circ C$ and $T_{wa} = 16.2 ^\circ C$), the radiation resistance is lower than the natural convection resistance.

Therefore, in these kinds of motors, the radiation resistance can be neglected when the forced ventilation is active, but it has to be taken into account when the motor is working at very low speed, such as in variable speed drives, or when the motor fan is missing.

It is important to underline that the test for the measurement of the natural convection resistance that is normally performed in air [3], [4] provides the equivalent resistance that is the parallel of the actual natural convection and of the radiation resistances. Consequently, the radiation effects are included in the measured natural convection resistance, but in this way, the different behaviors that the resistances have with respect to the temperature cannot be taken into account.

IV. RADIATION THERMAL EXCHANGES

INSIDE THE MOTOR

During deep vacuum conditions, as in the previously described test, it is possible to highlight and thus measure the radiation heat transfers that involve parts inside the motor. In particular, the most important ones are:

- between the active side of the windings inside the stator slots and the inner surface of the slots;
- between the end-winding space and the inner surface of the housing.

The radiation thermal resistance $R_{ew-ir}$ between the stator copper and the iron lamination (see Fig. 5) as well as the radiation resistance $R_{ew-ec}$ between the end inding and the external case (see Fig. 6) can be measured starting from the simplified thermal model reported in Fig. 7.

The model is derived by simplifying the full motor thermal model [5] according to the following criteria, which are true in deep vacuum conditions.

- All the natural and forced convection heat transfers are negligible. As a consequence, the related thermal resistances can be substituted by open circuits.
- All the conductive thermal resistances can be substituted with short circuits because their values are more than ten times lower than the other thermal resistances.
The resulting motor model in steady-state conditions is shown in Fig. 7, where the generator \( P_T \) represents the electrical power dissipated by the stator during the test and \( R_e \) is the radiation resistance between the external cage and the outer space measured as described in the previous section.

The temperature of the winding \( T_{cu} \) and the housing temperature \( T_{sv} \) as well as the motor power \( P_T \) can be measured during the test. In this way, it is easy to obtain the parallel between \( R_{cu-ir} \) and \( R_{ew-ec} \). Inasmuch as no other information is available to measure the two resistances separately, their values can be obtained assuming that they are inversely proportional to their respective exchange surfaces.

In this way, the radiation thermal resistance between stator copper and stator slots is \( R_{cu-ir} = 5.25 \, \text{K/W} \), whereas the radiation thermal resistance between end winding and external frame is \( R_{ew-ec} = 19 \, \text{K/W} \).

It is now possible to compute the heat-transfer coefficients \( h_i \) that, by definition [6], are

\[
h_i = \frac{1}{R_i A_i}
\]

where \( R_i \) is the generic thermal resistance and \( A_i \) is the involved surface. The radiation heat-transfer coefficients for the motor under test are, therefore,

\[
\begin{align*}
h_{cu-ir} &= 8.5 \, \text{W/m}^2/\degree\text{C} \quad \text{stator copper–iron} \\
h_{ew-ec} &= 6.9 \, \text{W/m}^2/\degree\text{C} \quad \text{end winding–external cage} \\
h_r &= 5.7 \, \text{W/m}^2/\degree\text{C} \quad \text{external–cage ambient.}
\end{align*}
\]

It is important to underline that the radiation heat-transfer coefficient between housing and ambient has been obtained using the total external frame surface because these data are often available and simply measurable.

About the radiation heat-transfer coefficients, the following considerations can be done.

The value of \( h_{cu-ir} \) has been obtained for the motor under test, but it can be also employed as a good approximation for other similar motors. Actually, this coefficient is strongly dependent on two quantities. The first one is the stator slot fill factor, whereas the second one is the impregnation goodness factor. As a consequence, even if the stator slot fill coefficient depends on the motor size, the range of variation is limited (typically 0.4–0.5), and the stator copper–iron radiation heat-transfer coefficients can be quite constant. Also, the impregnation goodness factor has a very limited numeric spread; thus, the same previous considerations can still be done.

The value of \( h_{ew-ec} \) here measured can be also considered of general application because it depends on the geometry (not the size) of the motor end winding. For these reason, a value of about 6 W/m\(^2\)/\degree C can be usefully adopted for other motors that have a frame structure similar to the tested one.

Furthermore, the three coefficients, \( h_{cu-ir}, h_{ew-ec}, \) and \( h_r \), are functions of the temperature, but suitable corrections can be applied by using the correction equation reported (6).

V. Final Considerations

On the basis of the obtained results, the following considerations can be drawn.

The procedure described in this paper for the housing radiation-resistance measurement is based on the resistance definition; thus, the resistance accuracy depends on the measurement uncertainties. The procedure does not require \textit{a priori} information or geometrical approximations that are mandatory for other methods.

The obtained results show, for the motor under test, that radiation is comparable with the natural convection, in spite of the low involved temperatures. The numerical results cannot be automatically employed for other motors because the surface emissivity can be quite different. Nevertheless, commercial motors are rarely coated with low emissivity paints; thus, when
the motor works without forced cooling, it is possible to reduce the radiation resistance and, therefore, the motor temperature, acting as follows.

- **Improve the housing emissivity.** The motor paint and its fin dimensions can be chosen to improve the motor apparent emissivity [7].
- **Reduce the surroundings temperature.** Hot devices, such as other motors working in the neighborhood, can transfer heat by convection, conduction, and radiation. The latter can be reduced, for example, by means of a separator.
- **Improve the surrounding absorptivity.** When the motor is located in a small working environment, e.g., in a small box, a high wall absorptivity reduces the reflected radiation heat that strikes the motor.

Significant radiation thermal exchanges are not only present on the external frame but also at several surfaces inside the motor. In particular, the main radiation paths are between the copper wires inside the slot and the stator lamination and between the end winding and the external frame.

The obtained heat-transfer coefficients are in good agreement with the values reported in the literature [1], [8], [9], and they can be adopted in thermal models including radiation effects. From a practical point of view, heat-transfer coefficients in the range of 6–8 W/m²/°C can be employed as a reasonable approximation for motors with similar structures.

**VI. Conclusion**

The role the radiation resistance plays in motor thermal models has been discussed, and a measurement system, based on a vacuum chamber, has been developed for the thermal resistance measurement. The measured radiation resistance depends both on the motor and on the environment temperatures; thus, a simple, although approximated, radiation model has been also employed to correct the measured resistance when such temperatures are different from the test ones.

Experimental tests have been performed with a small induction motor, and both the radiation resistance and the natural convection resistance have been measured. The test results show that the radiation resistance and the natural convection resistance are of the same order of magnitude; therefore, the radiation resistance cannot be neglected in the motor thermal model when other heat dissipation phenomena, such as the forced convection, are not present.

In addition, the radiation effects inside the motor have been analyzed by using a simplified model suitable to represent the radiation thermal exchange, and the related radiation thermal resistances have been also determined.

Furthermore, some considerations useful to extend the numerical results to other motors and to reduce the radiation resistances have been provided.

**References**


Aldo Boglietti (’04) was born in Rome, Italy, in 1957. He received the Laurea degree in electrical engineering from the Politecnico di Torino, Turin, Italy, in 1981.

He started his research work with the Dipartimento di Ingegneria Elettrica, Politecnico di Torino, as a Researcher in electrical machines in 1984. He was an Associate Professor in electrical machines in 1992. He has been a Full Professor since November 2000. He is also the Head of the Department of Electrical Engineering and will be holding the position until 2007. He is the author of about 100 papers. His research interests include energetic problems in electrical machines and drives, high-efficiency industrial motors, magnetic materials and their applications in electrical machines, electrical machine and drive models, and thermal problems in electrical machines.

Andrea Cavagnino (M’04) was born in Asti, Italy, in 1970. He received the M.Sc. and Ph.D. degrees in electrical engineering from the Politecnico di Torino, Turin, Italy, in 1995 and 1999, respectively.

Since 1997, he has been with the Electrical Machines Laboratory, Dipartimento di Ingegneria Elettrica, Politecnico di Torino, where he is currently an Assistant Professor. He has authored several papers published in technical journals and conference proceedings. His fields of interest include electromagnetic design, thermal design, and energetic behaviors of electric machines.

Dr. Cavagnino is a Registered Professional Engineer in Italy.
Marco Parvis (SM’01) was born in Italy in 1958. He received the M.S. degree in electrical engineering and the Ph.D. degree (Italian Doctorate) in metrology from the Politecnico di Torino, Turin, Italy, in 1982 and 1987, respectively.

He is currently a Full Professor of electronic measurements in the Second Faculty of Engineering, Politecnico di Torino. At present, he is working on new sensors for mechanical and chemical quantities and is involved in the development of new distributed measuring systems as well as in the development of a new remotely exercised calibrator for PC-based acquisition boards. He is the author of more than 100 publications. His main fields of interest are intelligent instrumentation and applications of signal processing to measurement, biomedical, and chemical measurements.

Dr. Parvis is a Senior Member and Chair of the TC 25 Medical Measurement of the IEEE Instrumentation and Measurement Society.

Alberto Vallan received the M.S. degree in electronic engineering and the Ph.D. degree in electronic instrumentation from the Politecnico di Torino, Turin, Italy, in 1996 and 2000, respectively.

He is currently an Assistant Professor in the Dipartimento di Ingegneria Elettronica, Politecnico di Torino. His main fields of interest are sensors for physical and chemical quantities and intelligent measurement systems.