#### POLITECNICO DI TORINO Repository ISTITUZIONALE

#### Compact Model for Multiple Independent Gates Ambipolar Devices

Original

Compact Model for Multiple Independent Gates Ambipolar Devices / Piccinini, Gianluca; Graziano, Mariagrazia; Frache, Stefano. - ELETTRONICO. - (2013). (Intervento presentato al convegno Functionality-Enhanced Devices Workshop tenutosi a Lausanne, Svizerland nel 25 March).

*Availability:* This version is available at: 11583/2511688 since:

Publisher: EPFL

Published DOI:

Terms of use:

This article is made available under terms and conditions as specified in the corresponding bibliographic description in the repository

Publisher copyright

(Article begins on next page)

# **Compact Model for Multiple Independent Gates Ambipolar Devices**



Stefano Frache, Mariagrazia Graziano, Gianluca Piccinini

Politecnico di Torino, Electronics and Telecommunication Engineering, VLSI Lab



**Motivation:** Ambipolarity is often suppressed by processing steps; It can be exploited to enhance logic functionality Natural evolution of FinFE Novel approach is needed to takle complex structures

#### **Multiple Gates vs Multi-Gates**

In this context, Multiple Gates  $\neq$  Multi-Gate

GAA are Multi-Gate devices, but do not necessarily feature MultipleGates

Present work is about Multiple Independent Multi-Gate devices

Nanoarray-based structures can benefit, as well, of this approach

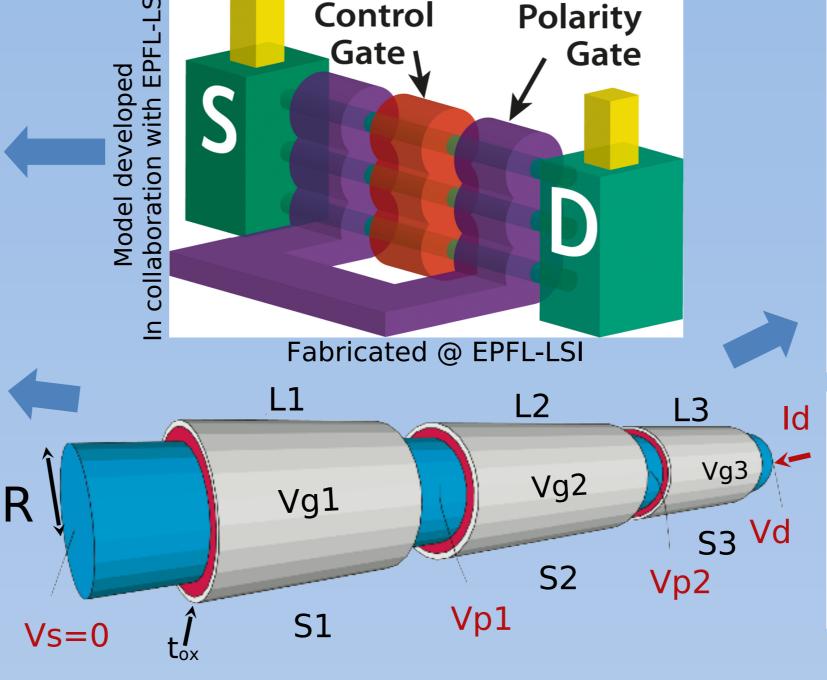
#### The approach: a collective strategy.

Device is seen as composed by a series of Sections. How to **decompose** it:

Define appropriate sections  $(S_i)$  in the overall structure.

Sections need not feature the same parameter set

The study of the complete device is reduced to the study of simpler parts



#### **Device section modeling**

Idea: to study such devices with these free parameters:

**L1, L2, L3** (different length of the sections) VG1, VG2, VG3 (different applied voltages to the gates)

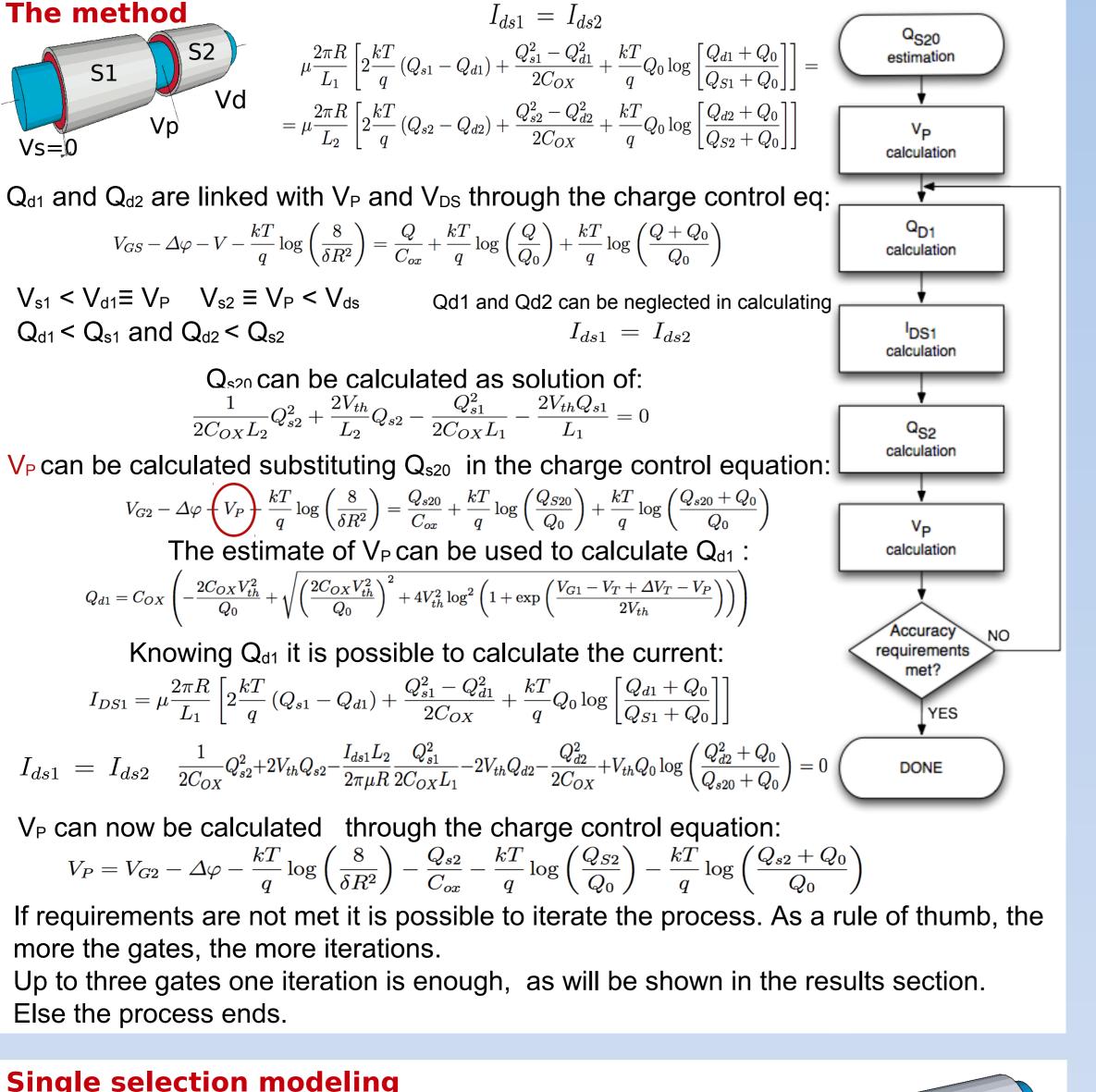
**R** (radius of the nanowire) **tox** (oxide thickness) I<sub>di</sub> independently calculated in sections S<sub>i</sub> exploiting a charge-based model

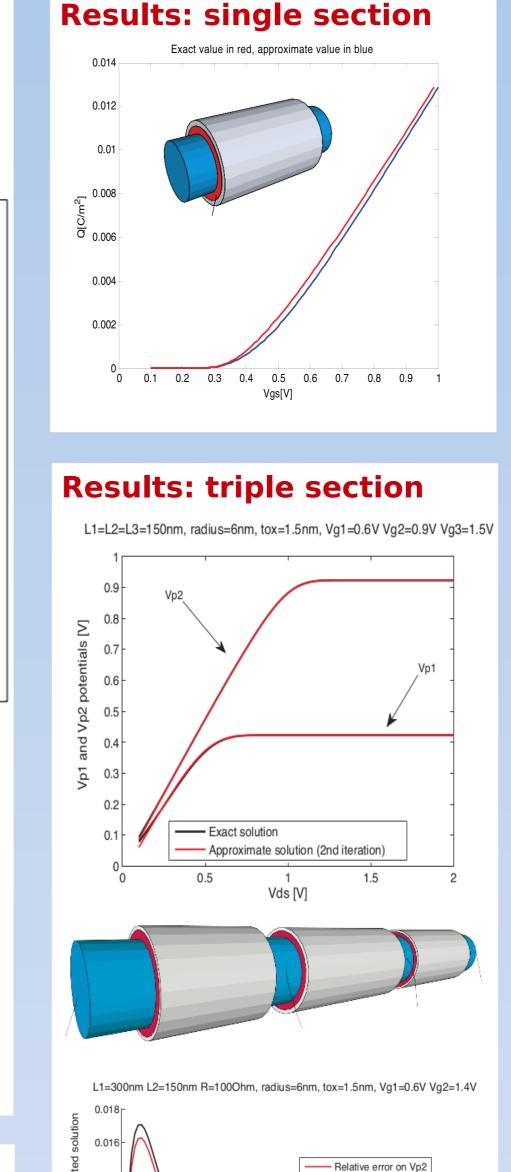
Hypothesis: no voltage drop at  $S_i$  and  $S_{(i+1)}$  contacts

#### **Current in sections**

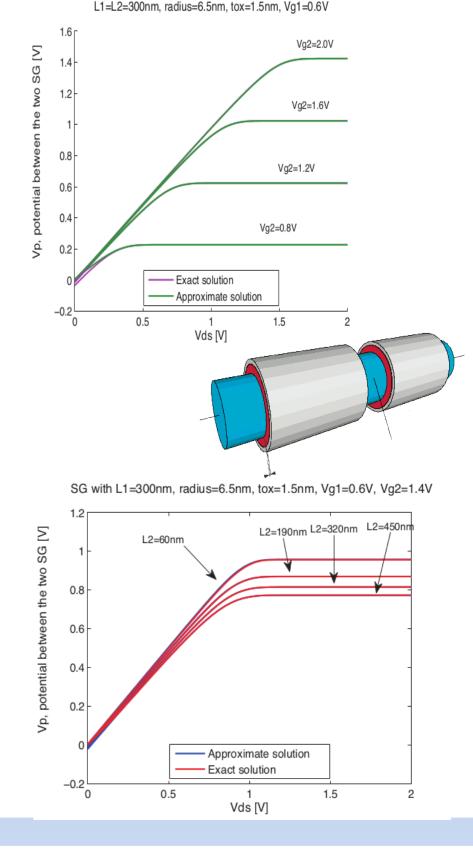
 $I_{di}$  can be calculated independently in each Section S<sub>i</sub>, provided we know  $V_{Di}$  and  $V_{Si}$  of all sections  $V_{Di}$  =  $Vs_{(i+1)}$   $Id_{Si} = Ids_{(i+1)}$ 

Potential	<b></b> >	charge density
Charge density	>	current

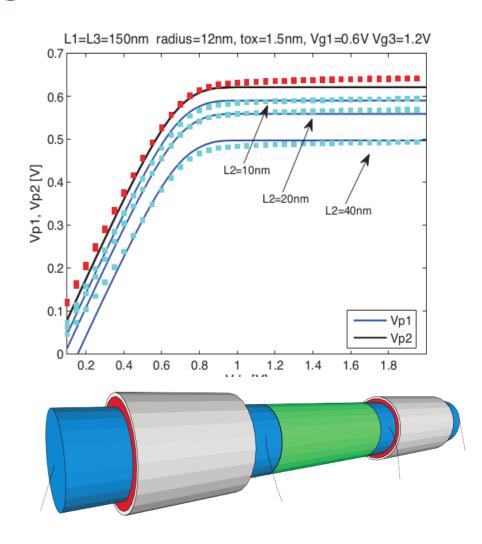




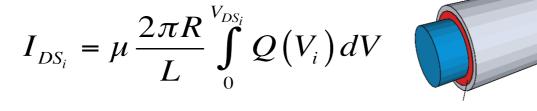
## **Results: double section**



#### **Results: triple section, one** gateless



Charge-based model is used at Single Section level to obtain current information .Drain current calculated as:



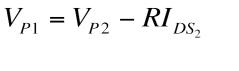
V<sub>Pi</sub> obtained through the charge control equation:

#### **Extensions**

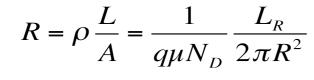
Same nature of the problem, same approach. slight modifications

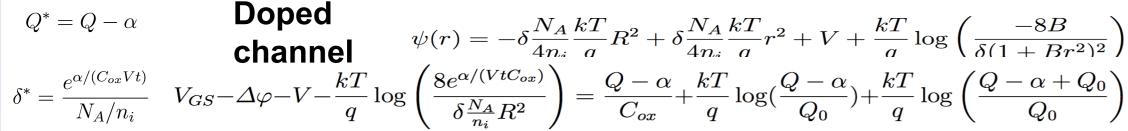
Gateless section



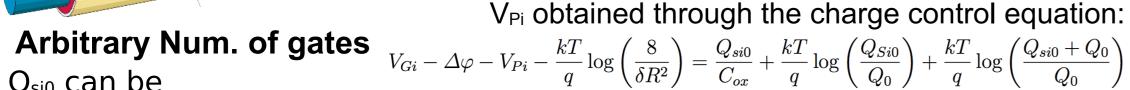




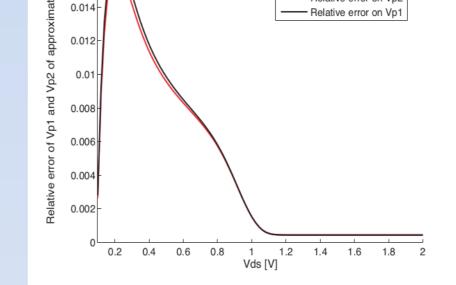




 $\frac{1}{2C_{OX}L_{i}}Q_{si0}^{2} + \frac{2V_{th}}{L_{i}}Q_{si0} - \frac{Q_{s1}^{2}}{2C_{OX}L_{1}} - \frac{2V_{th}Q_{s1}}{L_{1}} = 0$ 



 $Q_{si0}$  can be determined as  $\begin{array}{l} \text{determined as} \\ \text{positive root of:} \\ i = 1, \dots, n-1 \end{array} \left( -\frac{2C_{OX}V_{th}^2}{Q_0} + \sqrt{\left(\frac{2C_{OX}V_{th}^2}{Q_0}\right)^2 + 4V_{th}^2\log^2\left(1 + \exp\left(\frac{V_{Gi} - V_T + \Delta V_T - V_{Pi}}{2V_{th}}\right)\right)} \right) \end{array}$ 



## Validation

Theoretical: numerical simulations TCAD (Silvaco Atlas)

Experimental: at this stage of development, we still did not perform this kind of verification

## **Conclusions**

Fast (second vs. hours) and accurate (max err negligible) simulation

