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Detection of Non-Aligned Double JPEG Compression Based on Integer Periodicity Maps

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Abstract—In this paper, a simple yet reliable algorithm to detect the presence of non-aligned double JPEG compression (NA-JPEG) in compressed images is proposed. The method evaluates a single feature based on the integer periodicity of the blockwise DCT coefficients when the DCT is computed according to the grid of the previous JPEG compression. Even if the proposed feature is computed relying only on DC coefficient statistics, a simple threshold detector can classify NA-JPEG images with improved accuracy with respect to existing methods and on smaller image sizes, without resorting to a properly trained classifier. Moreover, the proposed scheme is able to accurately estimate the grid shift and the quantization step of the DC coefficient of the primary JPEG compression, allowing to perform a more detailed analysis of possibly forged images.

Index Terms—Image forensics, JPEG artifacts, non-aligned double JPEG compression, threshold detector

I. INTRODUCTION

Almost everybody has today the possibility of recording and sharing a large amount of digital images, enabling the virtually instantaneous diffusion of visual information regarding people, events, and so on. At the same time, the large availability and the ease of use of commercial image processing tools make extremely simple to alter the content of digital images, so that the message or the emotion conveyed by an image can be easily manipulated. This can be a serious problem when the content of an image is used to influence the opinion of viewers, like in tribunals, in journals, in medical applications.

Image forensics is a new research area aiming at assessing the credibility of digital images by looking for possible inconsistencies in statistical or geometrical features, like JPEG quantization artifacts, interpolation effects, demosaicing traces [1]. An advantage of this approach is that it is passive, in the sense that it is not necessary to embed an explicit fingerprint in the digital image after its acquisition, making forensics tools applicable even in the case of images captured by standard commercial cameras.

Due to the fact that a vast amount of digital images is stored in JPEG format, several forensics tools have been developed to detect the presence of tampering in this class of images. The presence of tampering can be revealed by analyzing some artifacts introduced by JPEG recompression occurring when the forgery is created; the tools can work in presence of an image exhibiting an aligned double JPEG compression (i.e. where the DCT grids of successive JPEG compressions are perfectly aligned), or a non aligned double JPEG compression. Approaches working in the first scenario include [2]– [5]. In [2], the author proposes to detect areas which have undergone

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a double JPEG compression by recompressing the image at different quality levels and looking for the presence of so-called *ghosts*; in [3], double JPEG compression is detected by computing a tampering probability map of the image according to a proper statistical model of DCT coefficients. In [4] and [5], the statistical distribution of first digits in quantized DCT coefficients is analyzed for detecting double JPEG compression.

The scenario of non aligned double JPEG compression has been investigated in [6]–[9]. In [6], a blocking artifact characteristics matrix (BACM) is computed in the pixel domain to measure the symmetrical property of the blocking artifacts introduced by JPEG compression. The method is based on the observation that, when a JPEG image is recompressed with a non aligned DCT grid, the regular symmetry of BACM will be destroyed. In [7] and [9] also, the blocking artifacts in the pixel domain are investigated, but in this case their periodic property is measured by devising two proper sets of features: indeed, when an image exhibits a non aligned double JPEG compression, this blocking periodicity will be perturbed. In [8], the statistics of DCT coefficients is represented as a noisy convolutive mixing model; starting from the observation that non aligned JPEG recompression weakens the independency between DCT coefficients, an independent component analysis (ICA) based method is designed to derive the asymmetry of an independent value map (IVM) as a normalized criteria of the coefficient independency.

In this paper, we propose a novel technique to detect the presence of non aligned double JPEG (NA-JPEG) compression. Differently from [6]–[9], in which NA-JPEG compression is detected by training a classifier on a set of features, our approach relies on a single yet powerful feature derived from the statistics of DCT coefficients, allowing us to apply a simple threshold detector. Moreover, the proposed approach is able to estimate both the grid shift and the quantization step of the DC coefficient of the primary compression. Such information can be used to perform a more detailed analysis of a possibly forged image.

The rest of this paper is organized as follows. In Section II, the possible scenarios where an algorithm for the detection of non aligned double JPEG compression can be useful are briefly reviewed. In Section III, the proposed algorithm is described. The results of the experimental analysis carried out to assess the performance of the proposed scheme are discussed in Section IV. Finally, in Section V, our conclusions are drawn.

II. FORENSIC SCENARIO AND PREVIOUS WORK

The classical scenario in which NA-JPEG double compression occurs is that of image splicing. In this kind of forgery, it is assumed that a region from a JPEG image is pasted onto a host image and that the resulting image is JPEG recompressed. Assuming a random placement of the forged region, there is a probability of 63/64 that the forged region will exhibit NA-JPEG compression artifacts. This is the same scenario considered in [6] [8].

An alternative scenario for NA-JPEG compression could consider the following forgery model: an original JPEG image is locally modified using an image processing technique which disrupts JPEG compression statistics, then randomly cropped and recompressed in JPEG format. Examples of local tampering which destroys JPEG statistics could be a cut and paste from either a non compressed image or a resized image, or the insertion of computer generated content. This is similar to the scenario considered in [3], with the difference that in our scenario the non tampered region exhibits NA-JPEG compression instead of aligned double JPEG compression.

In both cases, a tool able to identify NA-JPEG double compression could be used to discern original regions from tampered ones, for example using a segmentation of the image under test, like the approach proposed in [10]. As a matter of fact, the two forensics scenarios are complementary: the only difference is in the interpretation of the NA-JPEG compressed regions as either tampered (in the first scenario) or original (in the second one). We note that existing forensics tools can be used in both situations, so that they can be directly compared with the proposed approach.

III. PROPOSED METHOD

Let us assume that an original image I_1 is JPEG compressed with a quality factor QF_2 , and then decompressed. The obtained image I_2 can be modeled as follows:

$$
\mathbf{I}_2 = \mathbf{D}_{00}^{-1} \mathcal{Q}_2(\mathbf{D}_{00} \mathbf{I}_1) + \mathbf{E}_2 = \mathbf{I}_1 + \mathbf{R}_2 \tag{1}
$$

where D_{00} models an 8×8 block DCT with the grid aligned with the upper left corner of the image, $\mathcal{Q}_2(\cdot)$ models quantization and dequantization processes with JPEG quantization table corresponding to a quality factor QF_2 , and \mathbf{E}_2 is the error introduced by rounding and truncating the output values to eight bit integers. The last quantity \mathbf{R}_2 can be thought of as the overall error introduced by JPEG compression with respect to the original image.

Let us now suppose that the original image I_1 was previously JPEG compressed, starting from an uncompressed image I_0 , with a quality factor QF_1 and with a grid shifted by $(y, x) \neq (0, 0), 0 \leq x \leq 7$ and $0 \le y \le 7$, with respect to the upper left corner, i.e.,

$$
\mathbf{I}_1 = \mathbf{D}_{yx}^{-1} \mathcal{Q}_1(\mathbf{D}_{yx} \mathbf{I}_0) + \mathbf{E}_1
$$
 (2)

Then the image I_2 is doubly compressed image, and we can express it as

$$
\mathbf{I}_2 = \mathbf{D}_{yx}^{-1} \mathcal{Q}_1(\mathbf{D}_{yx} \mathbf{I}_0) + \mathbf{E}_1 + \mathbf{R}_2.
$$
 (3)

If a block DCT with grid alignment (i, j) is applied to I_2 , we can have three possible cases, according to the values assumed by this shift. If the grid is aligned to the one of the last JPEG compression, i.e. $i = 0$, $j = 0$, it happens that $D_{ij}I_2$ ${\bf D}_{00}$ $({\bf D}_{00}^{-1}Q_2({\bf D}_{00}{\bf I}_1)+{\bf E}_2) = Q_2({\bf D}_{00}{\bf I}_1)+{\bf D}_{00}{\bf E}_2$. If the grid is aligned to the one of the first JPEG compression, i.e. $i = y$, $j = x$, we have $\mathbf{D}_{ij}\mathbf{I}_2 = \mathbf{D}_{yx}(\mathbf{I}_1 + \mathbf{R}_2) = \mathcal{Q}_1(\mathbf{D}_{yx}\mathbf{I}_0) + \mathbf{D}_{yx}(\mathbf{E}_1 + \mathbf{R}_2).$ If the grid is misaligned with the two previous ones, we obtain $\mathbf{D}_{ij}\mathbf{I}_2 = \mathbf{D}_{ij} \left(\mathbf{D}_{00}^{-1} \mathcal{Q}_2(\mathbf{D}_{00} \mathbf{I}_1) + \mathbf{E}_2 \right)$. In summary, the three previous cases can be collected together as

$$
\mathbf{D}_{ij}\mathbf{I}_2 = \begin{cases} \mathcal{Q}_2(\mathbf{D}_{00}\mathbf{I}_1) + \mathbf{D}_{00}\mathbf{E}_2 & \text{if } i = 0, j = 0\\ \mathcal{Q}_1(\mathbf{D}_{yx}\mathbf{I}_0) + \mathbf{D}_{yx}(\mathbf{E}_1 + \mathbf{R}_2) & \text{if } i = y, j = x\\ \mathbf{D}_{ij}\mathbf{D}_{00}^{-1}\mathcal{Q}_2(\mathbf{D}_{00}\mathbf{I}_1) + \mathbf{D}_{ij}\mathbf{E}_2 & \text{elsewhere.} \end{cases}
$$
 (4)

Since the codomains of the functions $Q_2(\cdot)$ and $Q_1(\cdot)$ are two lattices defined by the respective quantization tables, equation (4) shows that when the DCT grid is aligned with the grid of either the last compression or the first compression, the DCT coefficients tend to cluster around the points of such lattices, with a spread due to the presence of the error terms $\mathbf{D}_{00}\mathbf{E}_2$ and $\mathbf{D}_{vx}(\mathbf{E}_1 + \mathbf{R}_2)$, respectively. Conversely, when the DCT grid is aligned with neither of the two compressions, DCT coefficients usually do not cluster around any lattice [11]. An example in given in Fig. 1, in which the histogram of doubly compressed DC coefficients is shown: for grid shifts (i, j) = $(0, 0), (i, j) = (y, x)$ the DC coefficients tends to cluster around the points of two monodimensional lattices defined by the respective quantization steps, whereas for a random shift, representing the case of a single JPEG compressed image, such a periodic clustering can not be observed.

In the case of alignment to the last compression, if we assume that rounding errors are uniformly distributed in $[-0.5, 0.5]$ and \mathbf{D}_{00} is unitary, according to the Central Limit Theorem the error term $\mathbf{D}_{00}\mathbf{E}_2$ is approximately Gaussian distributed with zero mean and variance 1/12. In the case of alignment to the first compression, if we assume that rounding errors on DCT coefficients at a given frequency are uniformly distributed in $[-Q_2/2, Q_2/2]$, being Q_2 the quantization step used by the second JPEG compression, and independent from \mathbf{E}_1 , then the error term $\mathbf{D}_{yx}(\mathbf{E}_1+\mathbf{R}_2)$ at the same frequency is approximately Gaussian distributed with zero mean and variance $(Q_2^2 + 1)/12$. The clustering of DCT coefficient in the case of NA-JPEG will be evident only if the standard deviation of this error term is small compared to the corresponding quantization step of the primary compression Q_1 , meaning that the presence of NA-JPEG is usually difficult to detect when $Q_1 < Q_2$.

The main idea behind the proposed algorithm is that of detecting the presence of NA-JPEG double compression by measuring how DCT coefficients cluster around a given lattice for any possible grid shift. When NA-JPEG is detected, the parameters of the lattice also allow to derive the primary quantization table. Even if the effect described above can be measured in theory for each DCT coefficient within an 8×8 block, we observed that it is more evident in the case of the DC coefficient, when most of the analyzed DCT coefficients are different from zero. Hence, in order to keep the detection simple, in the following we will take into account only the DC coefficient of each block.

When a single DCT coefficient for each image block is considered, clustering around a lattice can be measured by analyzing the periodicity of the histogram computed on these coefficients for an integer period, as shown in Fig. 1. The periodicity of the histogram can be evaluated by considering its Fourier transform at frequencies which are reciprocal of an integer value, i.e., by evaluating the following values:

$$
f_{ij}(Q) \triangleq \sum_{k} h_{ij}(k) e^{-j\frac{2\pi k}{Q}}, \quad Q \in \mathbb{N}
$$
 (5)

where h_{ij} is the histogram of DC coefficients computed for a grid shift equal to (i, j) , and Q is the quantization step with which the coefficients have been compressed.

According to (4), in the presence of NA-JPEG, where two compressions with a grid shift equal to (y, x) have been computed, we will expect both $f_{00}(Q_2)$ and $f_{yx}(Q_1)$ to have higher magnitude than the other values, Q_2 and Q_1 being the quantization steps of the DC coefficient in the second and first JPEG compressions, respectively. In the absence of NA-JPEG, instead, only $f_{00}(Q_2)$ will have higher magnitude; moreover, for each quantization value $Q \neq Q_2$ we can assume that $f_{ij}(Q)$ varies very little with (i, j) , since the overall histogram of the DCT coefficients remains quite similar for different shifts being it mainly dependent on the image content only.

In order to capture this behavior of the coefficients $f_{ii}(Q)$ we resort to the integer periodicity map (IPM) at the quantization step Q defined as

$$
M_{ij}(Q) \triangleq \frac{|f_{ij}(Q)|}{\sum_{i'j'}|f_{i'j'}(Q)|}, \quad 0 \le i, i' \le 7, \ 0 \le j, j' \le 7. \quad (6)
$$

The map $\mathbf{M}(Q_2)$ will show a peak at the location $(0, 0)$ due to the last compression. Moreover, in the case of a NA-JPEG image, $\mathbf{M}(Q_1)$ will exhibit a single entry much greater than the others at the

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Fig. 1. Histogram of the DC coefficients for different shifts of the DCT grid: (a) $(i, j) = (0, 0)$; (b) $(i, j) = (y, x)$; (c) random shift.

Fig. 2. Examples of IPMs for quantization steps (bright/dark points correspond to high/low values): (a) $M(Q)$ for $Q = Q_2$; (b) $M(Q)$ for $Q = Q_1 \neq Q_2$, in presence of NA-JPEG with shift between first and second compression $(y, x) = (6, 4)$; $H_{\infty} = 2.56$; (c) $\mathbf{M}(Q)$ for $Q \neq Q_2$, in absence of NA-JPEG; $H_{\infty} = 5.23$; (d) M(Q) for $Q = Q_1 = Q_2$, $(y, x) = (2, 3)$.

location (y, x) corresponding to the shift of the primary compression, whereas in the absence of NA-JPEG $M(Q)$ will be nearly uniform for every $Q \neq Q_2$. Examples of IPMs for the cases just described are shown in Fig. 2.

In the proposed algorithm, the uniformity of each IPM is measured by its min-entropy, defined as

$$
H_{\infty}(Q) \triangleq \min_{ij} (-\log M_{ij}(Q)). \tag{7}
$$

It is easy to verify that a high min-entropy corresponds to a mostly uniform IPM, whereas a IPM with a high peak will be characterized by a low min-entropy.

A JPEG image whose DC coefficients have been compressed with quantization step Q_2 will then be classified as NA-JPEG if there exists a $Q \neq Q_2$ such that $H_{\infty}(Q) < T_1$, where T_1 is a suitable threshold, and the relative shift, computed as (y, x) = $\arg \max_{(i,j)} M_{ij}(Q)$, is different from $(0, 0)$. In practice, we test all Q values between $Q_{min} = 2$ and $Q_{max} = 16$. When more than one Q satisfies the above condition, the Q achieving the lowest min-entropy is selected as the quantization step of the primary compression Q1.

A. Coping with the case $Q_1 = Q_2$

The above strategy works well when Q_1 is different from Q_2 , that is when the two compressions were carried out with different quality factors. When $Q_1 = Q_2$, $\mathbf{M}(Q_1)$ already shows a high peak at $(0,0)$ due to the last compression, which makes the peak due to the first compression less evident, as shown in Fig. 2-(d), so that the detection of the presence of the primary compression will fail.

To cope with this problem, we observed experimentally that, in the absence of NA-JPEG, $\mathbf{M}(Q_2)$ is approximately symmetric with respect to the shift $(4, 4)$; this can be explained by observing that the distribution of the DC coefficients computed using different grid shifts will appear more close to that of a quantized signal when most of the pixels within the block comes from a single block of the original JPEG image, that is, when we have a shift like (0,1), or (7,0), whereas it will be less close otherwise. In summary, we can assume that when the proportion of pixels coming from different adjacent blocks is the same, as it appears for shifts symmetric with respect to $(4,4)$ (for example $(1,1)$ and $(7,7)$), the histogram of DC coefficients has similar resemblance to that of a quantized signal, so that similar IPM values can be expected.

Hence, we devise to detect the secondary peak by observing the asymmetry of the map, that can be studied by defining a differential IPM (DIPM) as follows

$$
M'_{ij}(Q) \triangleq K^{-1} \cdot \max(M_{ij}(Q) - \mathcal{P}(M_{ij}(Q)), 0)
$$
 (8)

where $\mathcal{P}(M_{ij}(Q))$ is the prediction of $M_{ij}(Q)$ according to the symmetry of the IPM, and K is a constant such that the entries of the DIPM sum up to unity. $\mathcal{P}(M_{ij}(Q))$ is computed as follows (we omit the quantization scale Q for clarity):

$$
\mathcal{P}(M_{ij}) = \begin{cases}\n\frac{M_{i,8-j} + M_{8-i,j} + M_{8-i,8-j}}{3} & (i,j) \in \mathcal{R}_{\mathcal{S}} \\
M_{i,8-j} & (i,j) \in \mathcal{R}_{\mathcal{H}} \\
M_{8-i,j} & (i,j) \in \mathcal{R}_{\mathcal{V}} \\
\frac{M_{9,3} + M_{0,5}}{3} & (i,j) = (0,4) \\
\frac{M_{3,0}^2 + M_{5,0}}{2} & (i,j) = (4,0) \\
\frac{M_{4,3} + M_{4,5} + M_{3,4} + M_{5,4}}{4} & (i,j) = (4,4) \\
0 & (i,j) = (0,0)\n\end{cases}
$$

where $\mathcal{R}_{\mathcal{S}} = \{(i, j) : i \neq 0, 4, j \neq 0, 4\}$ is the set of IPM values showing both horizontal and vertical symmetry around the $i = 4$ and $j = 4$ axes, whereas $\mathcal{R}_{\mathcal{H}} = \{(i, j) : i = 0, 4, j \neq 0, 4\}$ and $\mathcal{R}_{\mathcal{V}} =$ $\{(i, j) : i \neq 0, 4, j = 0, 4\}$ are the sets of IPM values showing only horizontal or vertical symmetry around the $j = 4$ or $i = 4$

Fig. 3. Symmetric regions of IPM around the $i = 4$ and $j = 4$ axes. Yellow regions have both horizontal and vertical symmetry $(\mathcal{R}_\mathcal{S})$, green regions have horizontal symmetry (\mathcal{R}_{H}), blue regions have vertical symmetry (\mathcal{R}_{V}). White values have no symmetric counterparts. Values indicated by "x" are predicted according to their symmetric counterpart(s) indicated by "+". Values indicated by "*" are predicted according to the neighboring values indicated by "o".

Fig. 4. Examples of DIPMs (bright/dark points correspond to high/low values): (a) DIPM of the map in Fig. 2-(d), $H'_{\infty} = 1.26$; (b) DIPM of the map in Fig. 2-(a), $H'_{\infty} = 3.14$.

axes, respectively. The above regions are shown for clarity in Fig. 3. The rationale is that IPM values belonging to symmetric regions are predicted according to their symmetric counterparts, whereas IPM values having no symmetry are predicted according to their neighbors.

In the presence of NA-JPEG, the DIPM will show a peak in correspondence with the shift of the primary compression (see Fig. 4). Again, we will define the min-entropy of the DIPM as

$$
H'_{\infty}(Q) \triangleq \min_{ij} (-\log M'_{ij}(Q)). \tag{10}
$$

B. Detection algorithm

Hence, the detection algorithm proceeds as follows: first, it looks for a $Q \neq Q_2$ such that $H_{\infty}(Q) < T_1$; if there is one value satisfying this condition, the image will be classified as NA-JPEG; if there is no such a value, it checks if $H'_{\infty}(Q_2) < T_2$: if true, then the image will be classified as NA-JPEG, otherwise as non NA-JPEG¹.

A pseudo-code of the complete detection algorithms, summarizing the above steps, is shown in Algorithm 1.

IV. EXPERIMENTAL RESULTS

For the experimental validation of the proposed work, we built an image dataset composed by 1000 non-compressed TIFF images, having heterogeneous contents, coming from three different digital

¹Here, by "non NA-JPEG" we mean either a singly compressed image or a doubly compressed image with aligned grid: concerning the proposed algorithm, the two cases are indistinguishable.

Algorithm 1 Pseudocode of the proposed algorithm for detecting NA-DJPG compression.

input I_2 for $i, j = 0 \rightarrow 7$ do compute $\mathbf{D}_{ij} \mathbf{I}_2$ compute h_{ij} as histogram of DC coefficients for $Q = Q_{min} \rightarrow Q_{max}$ do compute $f_{ij}(Q)$ as in (5) end for end for for $Q = Q_{min} \rightarrow Q_{max}$ do for $i, j = 0 \rightarrow 7$ do compute $M_{ij}(Q)$ as in (6) if $Q = Q_2$ then compute $M'_{ij}(Q_2)$ as in (8) end if end for compute $H_{\infty}(Q)$ if $Q = Q_2$ then compute $H'_{\infty}(Q_2)$ end if end for select $H_{\infty} = \min_{Q} H_{\infty}(Q), Q_1 = \arg \min_{Q} H_{\infty}(Q), (y, x) =$ arg max_(i,j) $M_{ij}(Q_1)$ such that $(y, x) \neq (0, 0)$ if $H_{\infty} < T_1$ then return NA-DJPG, Q_1 , (y, x) else if $H'_{\infty}(Q_2) < T_2$ then **return** NA-DJPG, Q_2 , $(y, x) = \arg \max_{(i,j)} M'_{ij}(Q_2)$ else return non NA-DJPG end if

cameras (namely Nikon D90, Canon EOS 450D, Canon EOS 5D) and each acquired at its highest resolution; each test was performed by cropping the central portion using four different image sizes (128× 128, 256×256 , 512×512 , and 1024×1024).

For simulating NA-JPEG, each original image was JPEG compressed with a quality factor QF_1 , decompressed, cropped by a random shift $(i, j) \neq (0, 0)$, with $0 \leq i \leq 7$, $0 \leq j \leq 7$, and JPEG compressed with another quality factor QF_2 . The absence of NA-JPEG was simulated by simply compressing the original image with a quality factor QF_2 . The quality factor of the first compression $(QF₁)$ was chosen so that the quantization step of the DC coefficients (Q_1) ranges from 2 to 16 with step 1, whereas the quality factor of the second compression (QF_2) was chosen so that the quantization step of the DC coefficients (Q_2) ranges from 1 to 16 with step 1. The case $Q_1 = 1$ was avoided because it is undetectable with the proposed method.

This resulted in 240 possible combinations of (QF_1, QF_2) for each tampered image and 16 different QF_2 for each original image, yielding a total of 240000 tampered images and 16000 original images for each of the four image sizes.

The performance of the proposed detector has been investigated by estimating the ROC curves for different combinations of (QF_1, QF_2) , using a 5-fold cross validation strategy: the distribution of the statistics $H_{\infty}(Q)$, $H'_{\infty}(Q_2)$ is recorded over a training set of 800 images, optimal thresholds T_1 , T_2 are set according to such statistics, and the performance is measured on the remaining 200 images. The above procedure is repeated five times, using mutually disjoint sets of images for testing, and the average performance measures are recorded. Different optimal thresholds are chosen according to QF_2 and the image size.

Fig. 5. Accuracy of the proposed detector for different JPEG qualities QF_2 and different image sizes.

Fig. 6. Accuracy of the detector in [6] for different JPEG qualities QF_2 and different image sizes.

In Fig. 5, we show the maximum accuracy of the detector for different values of QF_2 and different image sizes. The maximum accuracy is defined as the point on the ROC curve corresponding to the maximum number of correctly classified images and is averaged over all possible QF_1 values.

In order to make comparisons with other methods, we computed on the same database the features described in [6] and [9] and we fed them to a Support Vector Machine (SVM) using a radial basis function kernel [12]. A different SVM was trained for each QF_2 and image size, considering every possible QF_1 . Optimal kernel parameters are found via grid search and 3-fold cross validation, whereas the accuracy is evaluated through 5-fold cross validation. To avoid the effects of imbalance $[13]$ – for each QF_2 we have 15000 tampered images and 1000 original images – we used an ensemble of undersampled SVMs [14] and we measured the overall accuracy as the arithmetic mean of the accuracy on each class.

The accuracy of the features of [6] and [9] is shown in Fig. 6 and Fig. 7, respectively. Compared to [6], our detector is from 5% to 15% more accurate for similar image sizes. Noticeably, the higher improvement in performance is achieved for the smaller image sizes: our detector needs only a 256×256 image to achieve the best performance of [6]. Compared to [9], our detector is from 10% to 25% more accurate for similar image sizes and similar QF_2 .

In Table I, we show the maximum accuracy of the proposed

Fig. 7. Accuracy of the detector in [9] for different JPEG qualities QF_2 and different image sizes.

TABLE I ACCURACY OF THE PROPOSED DETECTOR (%) FOR IMAGE SIZE 1024×1024 .

QF_2 $Q\widehat{F}_1$	50-57	58-67	68-76	77-85	86-95	96
$50 - 57$	88.5	92.6	93.7	94.7	95.7	95.3
58-67	80.7	90.7	94.4	96.3	97.2	96.5
68-76	60.8	77.7	92.5	96.5	98.0	98.2
$77 - 85$	50.2	53.6	67.6	91.0	98.6	98.8
86-95	50.2	50.1	49.8	54.8	85.4	98.9

detector for different combinations of QF_1 and QF_2 , when the image size is 1024×1024 . For a comparison, the accuracy of the detectors in [6] and [9] is shown in Table II and Table III, respectively. To make easier the evaluation of the methods, the best results for each combination (QF_1,QF_2) are highlighted in bold. Even though the case of 1024×1024 images is that in which we have the smallest performance improvement, the proposed approach outperforms both previous methods, especially when QF_2 is similar to QF_1 : when $QF_2 - QF_1 > 10$ NA-JPEG is detected with very high accuracy $(> 95\%$ in most cases), while it is still detected with about 90% accuracy when QF_2 is similar to QF_1 and with about 80% accuracy when $QF_1 - QF_2 < 10$ and $QF_1 < 76$. Noticeably, the proposed

TABLE II ACCURACY OF THE DETECTOR IN [6] (%) FOR IMAGE SIZE 1024×1024 .

QF_2 QF_1	$50 - 57$	58-67	68-76	77-85	86-95	96
$50-57$	73.6	82.6	89.5	95.9	97.1	98.6
58-67	67.2	77.3	85.4	94.8	97.2	98.4
68-76	61.0	67.8	76.8	89.9	97.3	98.2
$77 - 85$	57.4	60.0	63.9	75.3	94.8	97.6
86-95	51.4	52.8	53.4	56.4	76.5	94.5

TABLE III ACCURACY OF THE DETECTOR IN [9](%) FOR IMAGE SIZE 1024×1024 .

TABLE IV PROBABILITY OF DETECTION OF THE PROPOSED DETECTOR (%) FOR A PROBABILITY OF FALSE ALARM EQUAL TO 1%, FOR IMAGE SIZE 1024×1024 .

QF_2 $Q\widehat{F_1}$	50-57	58-67	68-76	77-85	86-95	96
50-57	78.1	86.9	88.6	90.4	92.4	92.1
58-67	62.3	82.6	90.5	93.8	95.5	94.1
68-76	20.3	55.9	86.0	94.4	97.1	97.5
$77 - 85$	1.5	79	34.7	82.3	98.1	98.6
86-95	1.3	1.3	0.8	99	71.7	98.6

Fig. 8. Percentage of correctly estimated primary compression parameters: (a) quantization step Q ; (b) shift (y, x) .

method maintains a very high probability of detection even if we force a 1% probability of false alarm, as shown in Table IV, confirming the robustness of the min-entropy feature.

In order to evaluate the ability of the algorithm to estimate the correct quantization step Q_1 and the correct shift (y, x) , we also performed a test by setting the thresholds so as to achieve a probability of false alarm equal to 1% and we recorded the estimated parameters. The accuracy, defined as the percentage of correctly identified Q_1 and (y, x) over the images detected as NA-JPEG, is shown in Fig. 8, for different values of QF_2 and different sizes. For $QF_2 > 75$, the proposed method identifies the correct Q_1 and (y, x) in over 98% of the images recognized as NA-JPEG irrespective of the image size, while for 1024×1024 images the correct identification rate is always greater than 96% irrespective of QF_2 .

V. CONCLUSIONS

In this work, a simple and reliable algorithm to detect into a digital image the presence of non-aligned double JPEG compression has been proposed. The method is based on the observation that the DCT coefficients exhibit an integer periodicity when the blockwise DCT is computed according to the grid of the primary JPEG compression. Such a behavior can be efficiently detected by measuring the non uniformity of a suitably defined integer periodicity map (IPM), in which every entry of the map depends on the DCT statistics for a particular grid shift. A slightly modified map is required when the second compression uses the same quantization step as the primary one. The presence of NA-JPEG is detected by applying a threshold detector to the min-entropy of the IPM, measuring its uniformity. Experimental results show that the proposed detector achieves a higher detection accuracy than previously proposed methods and is able to analyze smaller images. Moreover, the proposed method is able to accurately estimate both the grid shift and the quantization step of the DC coefficient of the primary JPEG compression, which can be used to perform more advanced analyses. Indeed, we are currently studying the possibility of using the estimated parameters to derive a statistical model of DCT coefficients of NA-JPEG images, which can be used for the automatic localization of tampered regions following an approach similar to the one proposed in [3].

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