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Current voltage characteristics and excess noise at the trap filling transition in polyacenes.

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Abstract

Experiments in organic semiconductors (polyacenes) evidence a strong super quadratic increase of the current-voltage (I-V) characteristic at voltages in the transition region between linear (Ohmic) and quadratic (trap free space-charge-limited-current) behaviours. Similarly, excess noise measurements at a given frequency and increasing voltages evidence a sharp peak of the relative spectral density of the current noise in concomitance with the strong super-quadratic I-V characteristics. Here we discuss the physical interpretation of these experiments in terms of an essential contribution from field assisted trapping-detrapping processes of injected carriers. To this purpose, the fraction of filled traps determined by the I-V characteristics is used to evaluate the excess noise in the trap filled transition (TFT) regime. We have found an excellent agreement between the predictions of our model and existing experimental results in tetracene and pentacene thin films of different length in the range $0.65 \div 35 \mu m$.

1 Introduction

Organic devices, based on polymeric materials or molecular semiconductors, successfully compete with traditional electronic devices at least in terms of cost, flexibility and weight [1, 2, 3, 4, 5]. The performance of organic devices is controlled by charge carriers that are injected at the molecule-metal interfaces. In turns, injected carriers are drastically affected by the presence of trapping centers related to defect states. The effect of thermal and electrical stresses on charge carrier trapping and detrapping (TD) processes is widely investigated in the literature [6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16], together with studies devoted to noise in organic semiconductors [19, 18, 17, 4, 5, 20].

In particular, transport measurements in polyacenes have evidenced a strong superlinear increase of the current-voltage (I-V) characteristics [13, 19, 4], and associated noise measurements [19, 4] have shown a sharp peaking of the relative spectral-density of excess current-noise in concomitance with the superlinear increase of the I-V characteristics. This noise peaking occurs at voltage regions corresponding to the crossover between Ohmic and space-charge-limited-current (SCLC) regimes [19], at the so called trap-filling transition (TFT). The interpretation of the experiments for the case of tetracene was previously addressed in terms of trapping-detrapping processes of the injected carriers by a single level of deep traps [17]. Here we generalize the single trap model to the case of the presence of several trap levels, as it often occurs under SCLC conditions, and of variable sample lengths. To validate the model, we consider existing measurements performed on tetracene and pentacene films of length in the range $0.65 \div 30 \mu\text{m}$ [13, 19]. The agreement between theory and experiments provides a series of physical parameters that characterize the traps present in different materials.

The paper is organized as follows. The theoretical model which, following [17], is extended to the presence of many levels of traps, is developed in the next Sec. 2. Section 3 reports the comparison of theoretical calculations with existing experiments carried out in tetracene and pentacene samples of different lengths. Here, the mechanisms of voltage enhanced detrapping, as quantified by the fraction of ionized traps, are identified and discussed. Major conclusions are drawn in Sec. 4.

2 Theoretical model

We consider I-V characteristics and excess noise of a two-terminal sample with length L and cross-sectional area A characterized by the presence of a fully ionized shallow trap level and a set of N independent traps levels each with a given energy, thus generalizing previous results carried out for a single-trap level [17]. Accordingly, within a phenomenological approach, we develop the appropriate expressions for the transport and relative excess current-noise spectrum as function of an applied voltage. We notice, that according to the phenomenological model all macroscopic physical quantities are considered as spatially averaged ones, thus microscopic spatial dependence of fields, traps and free carriers are implicitly accounted for by the voltage dependence of the considered quantities.

2.1 Transport

Following [21], charge transport is assumed to consist of three kinds of regimes, namely: Ohmic (linear I-V at the lowest applied voltages), TFT through a sequence of N trap levels, each level being responsible for a sharp superquadratic I-V characteristics at intermediate applied voltages, and an SCLC quadratic I-V at further increasing applied voltages characterized by a trapping factor $\Theta_i \leq 1$. The asymptotic value $\Theta_i = 1$ corresponds to the condition of trap free SCLC [21].

The fit of the experimental I-V characteristics is obtained as the sum of the currents respectively in: (i) the Ohmic regime; (ii) the TFT regime pertaining to a set of $1 \leq i \leq N$ trap levels, which are weighted by the fraction of filled traps $u_i(V)$ that are functions of the applied voltage and are limited within the values $0 \leq u_i(V) \leq 1$; (iii) a quadratic SCLC regime that is included in the expression of the TFT current when $u_i = 1$. Here traps are assumed to be uniformly distributed over space while the inhomogeneous spatial distribution of the electric field and charge carriers are accounted for by the nonlinear behaviour of the I-V characteristics at increasing values of the applied voltage. According to this decomposition, we obtain:

$$I = I_\Omega + I_{TFT} \quad (1)$$

with

$$I_\Omega = \frac{V}{R_\Omega} \quad (2)$$

where

$$R_\Omega = \frac{L}{Aen_0\mu}$$

is the Ohmic resistance, e is the unit charge, n_0 is the free carrier thermal concentration, and μ is the carrier mobility that is assumed to be independent of the applied voltage.

$$I_{TFT} = \sum_{i=1}^N I_{TFT_i} = \sum_{i=1}^N u_i I_{SCLC_i} \quad (3)$$

where I_{SCLC_i} is obtained from the Mott-Gurney law [21] in the presence of a trap level, i , with concentration $n_{t,0}^i$ of trapping centers and concentration n_i of free carriers coming from the sum of thermally activated n_0 and injected n_{in} as

$$I_{SCLC_i} = \frac{9A\epsilon_0\epsilon_r\mu\Theta_i V^2}{8L^3} \quad (4)$$

where ϵ_0 is the vacuum permittivity, ϵ_r is the relative dielectric constant of the material, $\Theta_i = n_i/n_{t,0}^i$ the trapping factor. Notice that the carrier concentration injected from the contact n_{in} is given by:

$$n_{in} = \frac{\epsilon_0\epsilon_r V}{eL^2} \Theta_i \quad (5)$$

For convenience we can also write

$$I_{SCLC_i} = I_\Omega \frac{9n_{in}}{8n_0} \quad (6)$$

We notice that, when $\Theta_i = 1$, I_{SCLC} is the current corresponding to the quadratic trap-free SCLC regime, the maximum current that the sample can support.

For the fitting with experiments, the value of I_Ω is obtained from the Ohmic regime reported in Eq. (2) and the value of I_{SCLC_i} is taken from the i -th SCLC regime extrapolated at the corresponding flexing points of the I-V characteristics. Accordingly, for the case of the first trap the $u_1 = u_1(V)$ is obtained by best fitting the full experimental curve $I_{exp} = I_{exp}(V)$ using

$$u_1(V) = \frac{I_{exp} - I_\Omega}{I_{SCLC_1}} \quad (7)$$

in the range of voltages for which $0 < u_1 < 1$.

For the case of a second trap the $u_2 = u_2(V)$ is obtained by best fitting the full experimental curve $I_{exp} = I_{exp}(V)$ as

$$u_2(V) = \frac{I_{exp} - I_{\Omega} - I_{SCLC1}}{I_{SCLC2}} \quad (8)$$

in the range of voltages for which $0 < u_2 < 1$ and so on for all the other possible traps.

The value of I_{SCLC} corresponding to the trap free SCLC regime is taken by extrapolating the current value at $V \rightarrow \infty$.

The theoretical value of the voltage dependence of the fraction of ionized traps, u_i^{th} is taken by using two alternative models. The first is the Quasi-Fermi (QF) model of the form:

$$u_i^{th,QF} = \frac{1}{1 + g \exp[(\Delta\epsilon_{QF} - \gamma_{QF}eV)/(k_B T)]} \quad (9)$$

where $g = 4$ is the degeneracy of the trap level for the case of acceptors, $\Delta\epsilon_{QF} = (\epsilon_F - \epsilon_i)_{QF}$, with ϵ_F the Fermi level at thermal equilibrium and ϵ_i the i -th trap energy level, $\gamma_{QF} = 1/(Ln_t^{1/3})$ is a numerical fitting parameter relating the mean value of trap concentration n_t with the sample length L , k_B is the Boltzmann constant and T is the bath temperature.

The second model considers the voltage dependence of the fraction of filled traps governed by the Poole-Frenkel (PF) effect [22] in the form:

$$u_i^{th,PF} = \frac{1}{1 + g \exp[(\Delta\epsilon_{PF} - e\beta_{PF}(V/L)^{1/2})/(k_B T)]} \quad (10)$$

with β_{PF} an adjustable Poole-Frenkel factor fitted to experiments and found to be higher for about one order of magnitude than the standard value $[e/(4\pi\epsilon_r\epsilon_0)]^{1/2} \approx 2.0 \times 10^{-5} (Vm)^{1/2}$.

The values of the low field mobility μ , thermal carrier density n_0 , $\Delta\epsilon_{PF,QF}$ and Θ_i should be taken consistently with critical values of the I-V characteristics as will be detailed in Sec. 3 where a comparison between theory and experiments will be carried out.

2.2 Noise

According to the current decomposition in Eqs. (1) to (4), the relative excess current-noise is written as:

$$S(f, V) = S_{\Omega}(f) + S_{TFT}(f, V) + S_{SCLC}(f, V) \quad (11)$$

where, according to Hooge formula [23], the Ohmic component of the $1/f$ noise is:

$$S_{\Omega}(f) = \frac{\alpha_{\Omega}}{ALn_0f} \quad (12)$$

with α_{Ω} the Ohmic Hooge parameter [23] (as well known, the Ohmic component is independent of applied voltage).

For TFT noise from N independent trap levels we take a superposition of simple Lorentzians as [24]

$$S_{TFT}(f, V) = \sum_{i=1}^N S_{TFTi} = \sum_{i=1}^N B_i(f) u_i(V) [1 - u_i(V)] \quad (13)$$

with

$$B_i(f) = \frac{4}{N_{ti}} \frac{\tau_i}{1 + (2\pi f \tau_i)^2} \quad (14)$$

the amplitude of each i -th trapping-detrapping source assumed to be independent from each other, where N_{ti} is the total number of i -th traps in the volume of the device, and τ_i is the associated carrier life-time. We notice that at the onset of the TFT regime the number of free carriers equals the number of filled traps.

The Lorentzian spectrum is then generalized to the case that the single lifetime is broadened in a sufficient wide range of values so that the Lorentzian can originate a $1/f$ spectrum in the corresponding frequency region as:

$$B_i^{br}(f) = P_i \frac{\arctan(2\pi f \tau_{2,i}) - \arctan(2\pi f \tau_{1,i})}{2\pi f} \quad (15)$$

with P_i a constant parameter to be fitted by comparison with experiments.

Accordingly, when the two time constants $\tau_{2,i}$ and $\tau_{1,i}$ defining the broadening region $\tau_{1,i} \leq \tau_i \leq \tau_{2,i}$, satisfy the condition $2\pi f \tau_{2,i} \gg 1$ and $2\pi f \tau_{1,i} \ll 1$, respectively, the two arctan terms in the numerator of Eq. (15) are approximately equal to $\pi/2$ and 0, and inside the broadening region the superposition of exponential relaxation processes gives rise to a $1/f$ spectrum:

$$B_i^{br}(f) = \frac{P_i}{4f} \quad (16)$$

By generalizing the trap-free SCLC Kleinpenning formula [33] to the case in which traps are present, the SCLC $_i$ component of the $1/f$ noise is taken as:

$$S_{SCLC_i}(f, V) = \sum_{i=1}^N \frac{4eL\alpha_{SCLC_i}u_i^2}{5A\epsilon_0\epsilon_r\Theta_i fV} \quad (17)$$

with α_{SCLC_i} an SCLC $_i$ Hooge parameter.

Accordingly, the $1/f$ noise sources in Eqs. (12) and (16) are attributed to mobility fluctuations.

3 Comparison with experiments

The theoretical model developed above is applied to experimental data obtained on tetracene and pentacene samples [13, 19]. In so doing, we further validate and generalize the procedure presented in Ref. [17]. The values of the low field mobility μ , thermal carrier density n_0 and Θ_i should be taken consistently with the asymptotic values of the $I(V)$ characteristics. The simultaneous fitting of the I-V characteristics and of the relative excess-noise component at the given frequency will help in providing estimates of the trap concentration and the carrier lifetime in a consistent way.

3.1 Current-voltage characteristic

Figures 1, 2 and Figures 3, 4 report, respectively, the I-V characteristics and the associated fraction of filled traps for the case of two different rectangular samples of tetracene [13]. Data reported in Figs. 1 and 2 refer to a sample width of cross sectional area $A = 0.028 \text{ mm}^2$ and length $L = 0.03 \text{ mm}$, respectively. In this case, the fitting between theory and experiments is obtained by taking:

$$I_\Omega = 0 \quad (18)$$

Tab. 1: Relevant parameters for tetracene samples [13]. The lower (higher) values of mobility refers to the shorter (longer) sample length.

Relative dielectric constat	ϵ_r	3
Zero-field hole mobility	μ	$(0.014 - 0.59) \text{ cm}^2/(\text{sV})$
Trapping factor	Θ	$1.3 \times 10^{-6} \div 1$
Thermal free carrier concentration	n_0	$\approx 0 - 6.3 \times 10^9 \text{ cm}^{-3}$
Density of traps	$n_{t,0}$	$1.0 \times 10^{15} \text{ cm}^{-3}$
—	$\Delta\epsilon_{QF,PF}$	$\approx 0.51 \div 1.01 \text{ eV}$

$$I_{SCLC1} = 1.3 \times 10^{-3} \text{ V}^2 \text{ pA} \quad (19)$$

$$I_{TFT2} = 5.0 \times 10^3 \text{ V}^2 \text{ u(V) pA} \quad (20)$$

which imply $\Theta_1 = 1, 3 \times 10^{-6}$, $\Theta_2 = 1$, $\mu = 0.014 \text{ cm}^2/(\text{sV})$

Data reported in Figs. 3 and 4 refer to a sample of cross sectional area $A = 0.028 \text{ mm}^2$ and length $L = 0.025 \text{ mm}$, respectively. In this case, the fitting between theory and experiments is obtained by taking:

$$I_{\Omega} = 1.5 \times 10^{-2} \text{ V pA} \quad (21)$$

$$I_{TFT1} = 1.2 \times 10^{-2} \text{ V}^2 \text{ u}_1(V) \text{ pA} \quad (22)$$

which implies $\Theta_1 = 1$, $n_0 = 1.9 \times 10^7 \text{ cm}^{-3}$, $\mu = 0.59 \text{ cm}^2/(\text{sV})$

Dashed curves in Fig. 1 and Fig. 3 refer to the theoretical fitting carried out within the model of Sec. 2 for a single trap level with the fraction of filled traps reported in Figs. 2 and 4 for the PF model. In Figs. 2 and 4 symbols refer to the values extracted from the fit of experiments and curves refer to the theoretical results obtained from statistics using a Quasi-Fermi (QF) model or a Poole-Frenkel (PF) model, respectively. We found that QF and PF models give very similar results, with the PF model providing a slightly better agreement with experiments.

The parameters extracted from the fitting for the tetracene samples are summarized in Table 1.

Figures 5 and 6 report, respectively, the I-V characteritics and the associated fraction of filled traps obtained on a sample of pentacene [19] with $A = 0.1 \text{ cm}^2$ and $L = 0.85 \text{ }\mu\text{m}$. In this case, the fitting is obtained by taking:

$$I_{\Omega} = 13 \text{ V pA} \quad (23)$$

$$I_{TFT1} = 7.0 \times 10^3 \text{ V}^2 \text{ u}_1(V) \text{ pA} \quad (24)$$

$$I_{TFT2} = 2.0 \times 10^5 \text{ V}^2 \text{ u}_2(V) \text{ pA} \quad (25)$$

which implies $\Theta_1 = 3.5 \times 10^{-2}$, $\Theta_2 = 1$, $\mu = 4.1 \times 10^{-6} \text{ cm}^2/(\text{sV})$

The continuous curve in Fig. 5 refers to the theoretical fitting carried out within the model of Sec. 2 for a double trap level with the fraction of filled traps reported in Fig. 6. In Figure 6 symbols refer to the values extracted from the fit of experiments and curves refer to the theoretical results obtained from statistics using a QF model or a PF model, respectively. Even in this case, we found that QF and PF models give very similar results, with the PF model providing a slightly better agreement with experiments.

3.2 Relative excess current-noise

Here we consider the relative excess-noise characteristics measured in tetracene and pentacene samples of [19]. For the case of tetracene, Ref. [17] already reported the fit of the I-V characteristics and of the relative excess-noise measured at 20 Hz as function of the applied voltage for a Au/Tc/Al sample of length $0.85 \mu m$ and cross-sectional area of $0.1 cm^2$. Below, noise spectra in the measured range $1 \div 10^4 Hz$ of the same tetracene sample are fitted using the frequency expressions at the given voltage given by

$$S_{\Omega}(f) = \frac{36}{f} ps \quad (26)$$

$$S_{TFT}(V, f) = 8.2 \times 10^2 \frac{u(V)[1 - u(V)]}{1 + (2\pi f\tau)^2} ps \quad (27)$$

for a single lifetime (Lorentzian) model, or

$$S_{TFT}(V, f) = 8.2 \times 10^3 \frac{u(V)[1 - u(V)]}{f} ps \quad (28)$$

for a superposition of relaxation processes described by broadened set of lifetimes in the range $10^{-6} \div 10^2 s$, so that the broadening factor is well approximated by 1 in the considered frequency region.

$$S_{SCLC}(V, f) = \frac{800 u^2}{Vf} ps \quad (29)$$

Figure 7 reports the fraction of filled traps determined from the fitting of the I-V experiments and that are here used for the fitting of the noise spectra.

Figures 8 to 12 reports the noise spectra of tetracene [19] for several voltages covering the range from 0.5 V to 6 V. We recall that the spectrum at 0.5 V corresponds to the Ohmic regime, spectra at 0.8 and 1.5 V correspond to the TFL regime, and spectra at 4.3 and 6 V correspond to the trap-free SCLC regime. In particular, Fig. 9 at 0.8 V compares the shape of the spectra when going from a single lifetime, $\tau = 8 ms$, to the broadened set of lifetimes responsible for the $1/f$ slope. The case of broadened lifetimes well reproduce the $1/f$ like spectra exhibited by experiments in the full frequency range $1 \div 10^4 Hz$ and at voltage regions where the TFT regime is dominant. We notice, that at the highest voltages experiments exhibit a spectra with a slope slightly sharper than the simple $1/f$, and which is responsible of most of the misfit with theory.

For the case of pentacene [19], the theoretical spectra of all the noise source considered are taken to exhibit an $1/f$ shape and the fitting with experiments is carried out at the frequency of 20 Hz by taking:

$$S_{\Omega} = \frac{30}{f} ps \quad (30)$$

$$S_{TFT1}(V, f) = \frac{3.6 \times 10^3 u_1(V)[1 - u_1(V)]}{f} ps \quad (31)$$

$$S_{TFT2}(V, f) = \frac{4.8 \times 10^4 u_2(V)[1 - u_2(V)]}{f} ps \quad (32)$$

$$S_{SCLC1}(V, f) = \frac{3.8 \times 10^3 u_1^2}{Vf} ps \quad (33)$$

$$S_{SCLC2}(V, f) = \frac{3.8 \times 10^3 u_2^2}{Vf} ps \quad (34)$$

Tab. 2: Relevant parameters for pentacene. The given range of values are in correspondence with that of a contact surface of, respectively 10^{-1} or 10^{-5} cm^2 .

Relative dielectric constant	ϵ_r	4.3
Zero-field hole mobility	μ	$2.9 \times (10^{-6} \div 10^{-2}) \text{ cm}^2/(\text{sV})$
Thermal free-carrier concentration	n_0	$2.4 \times (10^{10} \div 10^6) \text{ cm}^{-3}$
Density of traps	$n_{t,0}^1$	$3.2 \times (10^{10} \div 10^{14}) \text{ cm}^{-3}$
Density of traps	$n_{t,0}^2$	$8.8 \times (10^{10} \div 10^{14}) \text{ cm}^{-3}$
Valence band state density	n_v	10^{21} cm^{-3}
Carriers 1 free time	τ_1	$10^{-6} \div 10^2 \text{ s}$
Number of carriers 1	N_{t1}	$< 3.5 \times 10^7$
Carriers 2 free time	τ_2	$10^{-6} \div 10^2 \text{ s}$
Number of carriers 2	N_{t2}	$< 6.6 \times 10^9$
Deep trap energy level	$\epsilon_{1,2}$	$\approx 0.85 \div 1 \text{ eV}$
—	$\Delta\epsilon_{QF,PF}$	$\approx (0.28 \div 0.52) \text{ eV}$
Trapping factors	$\Theta_{1,2}$	$3.5 \times (10^{-2}, 1)$
Ohmic Hooe parameter	α_Ω	6.1×10^{-6}
SCLC1 Hooe parameter	α_{SCLC1}	$2.2 \times (10^{-1} \div 10^{-5})$
SCLC2 Hooe parameter	α_{SCLC2}	$6.2 \times (1 \div 10^{-4})$

The values of the fraction of filled traps obtained from the I-V fit are used as input parameters for the corresponding fit of the relative excess-noise at 20 Hz as function of the applied voltage which is reported in Fig. 13. To fix the main parameters of the fitting between theory and experiments we have paralleled the procedure used in [17]. In particular, the maximum value of the trap concentrations and the corresponding estimate of a carrier free-time is obtained by solving Eq. (14) for real values of τ .

The parameters extracted from the fitting of pentacene data are summarized in Table 2. Here, in view of the extremely low value of the hole mobility that is estimated from the given geometry, we have considered the possibility that from the electrical point of view the effective area of the contacts be a factor of 10^{-4} smaller than the geometrical value reported in experiments [19]. This can happen due to the strong inhomogeneity of the organic material that can make only a small fraction of the contact area permeable to the current flow. Accordingly, the corresponding parameters span a comparable range of values (see Table 2).

4 Conclusions

We have developed a phenomenological model that provides a quantitative interpretation of the current-voltage characteristic and the relative excess current-noise in the presence of space-charge limited conditions due to the presence of multiple trapping centers. The model is applied to the case of polyacenes where different sets of experiments are available from literature. We have found an excellent agreement between the predictions of our model and experimental results in tetracene and pentacene thin films of different length in the range $0.65 \div 35 \mu\text{m}$. The agreement allows us to state that the sharp peak of noise in the TFT region exhibited by pentacene films arises from the fluctuating occupancy of the traps due to trapping-detrapping processes. The fitting of the I-V and the noise experiments extends over 10 and 4 orders of magnitude, respectively, and provides a set of parameters (see Tables 1 and 2) of valuable interest for the characterization of the samples under investigation.

Finally, we remark that the measured current noise spectrum in the voltage region controlled by the TFT was usually found to be $1/f$ -like [25, 26, 27, 19, 28, 29, 30, 31, 32], thus without a direct evidence of a Lorentzian spectrum, as assumed in Eq. (14). As a consequence, a broadening of the trap lifetimes in the range $10^{-6} < \tau < 10^2$ s is considered to account for the $1/f$ shape of the noise spectra [33, 34, 35].

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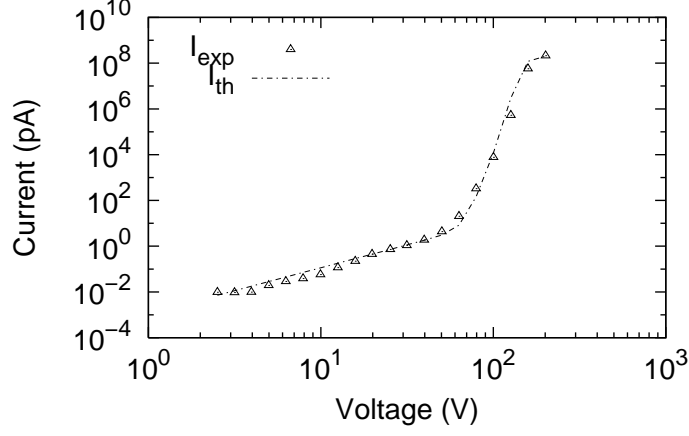


Fig. 1: Current voltage characteristics of the tetracene sample of length $25 \mu m$ at $T = 300 K$ [13]. Symbols refer to experiments and the line to the best fit obtained using the fraction of filled traps calculated within the PF model as reported in Fig. 2.

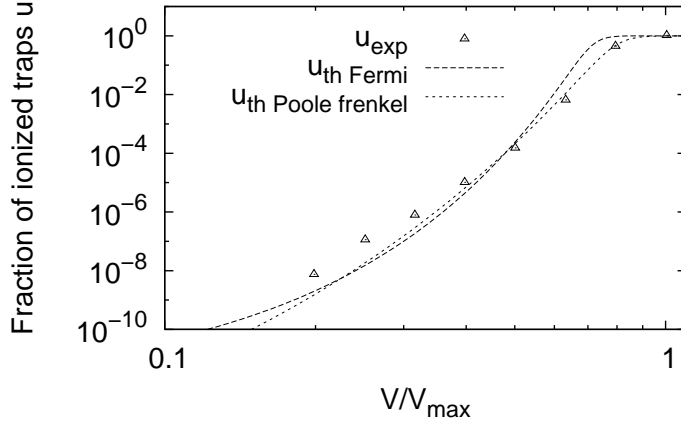


Fig. 2: Fraction of filled traps of the sample in Fig. 1 as function of the applied voltage normalized to the value $V_{max} = 200 V$ corresponding to the voltage when $u = 1$. Symbols refer to the experimental values deduced using Eq. (8) from the I-V data in Fig. 1 and lines to the fit using the statistics with the QF and PF models, respectively. Here $\gamma_{QF} = 6.0 \times 10^{-3}$, $\Delta\epsilon_{QF} = 0.67 eV$, and $\Delta\epsilon_{PF} = 1.01 eV$, $\beta_{PF} = 4.2 \times 10^{-4} (Vm)^{1/2}$.

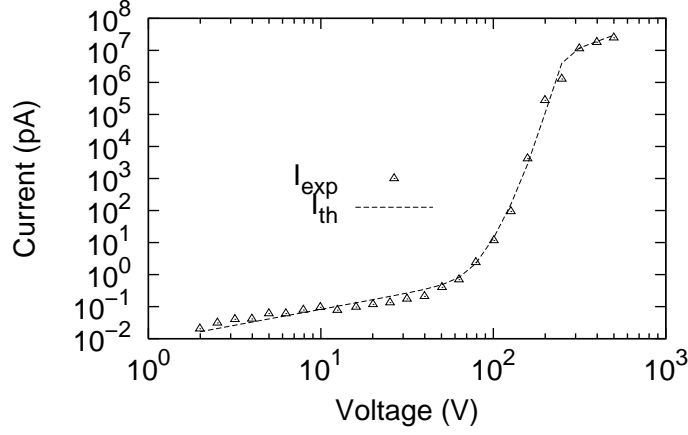


Fig. 3: Current voltage characteristics of a tetracene sample of length $30 \mu m$ $T = 300 K$ [13]. Symbols refer to experiments and the line to the best fit obtained using the fraction of filled traps calculated within the PF model as reported in Fig. 4.

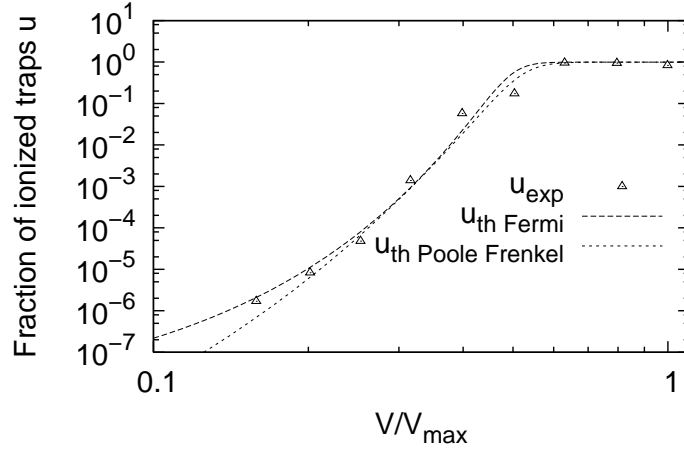


Fig. 4: Fraction of filled traps of the sample in Fig. 3 as function of the applied voltage normalized to the value $V_{max} = 500 V$ corresponding to the voltage when $u = 1$. Symbols refer to the experimental values deduced using Eq. (8) from the I-V data in Fig. 3 and lines to the fit using the statistics with QF and PF models, respectively. Here $\Delta\epsilon_{QF} = 0.51 eV$, $\gamma_{QF} = 2.3 \times 10^{-3}$, and $\Delta\epsilon_{PF} = 0.78 eV$, $\beta_{PF} = 2.8 \times 10^{-4} (Vm)^{1/2}$.

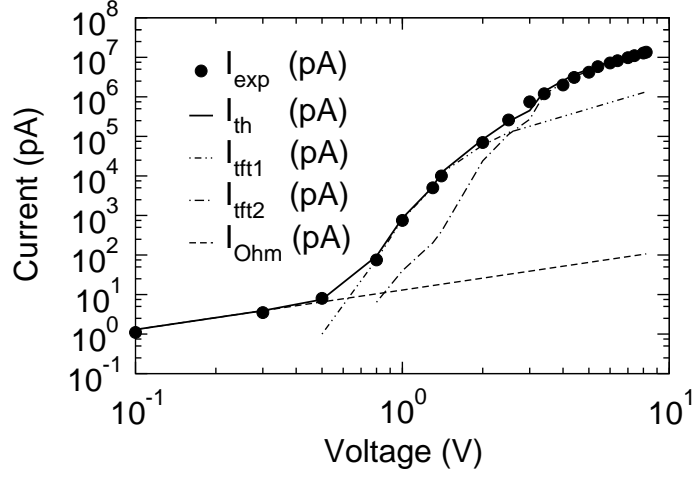


Fig. 5: Current voltage characteristics of a pentacene sample of length $0.85 \mu\text{m}$ at $T = 300 \text{ K}$ [19]. Symbols refer to experiments, continuous line to the best fit obtained using the fraction of filled traps calculated within the Poole Frenkel model as reported in Fig. 6, dashed lines to the three components in which the total current is decomposed, see text.

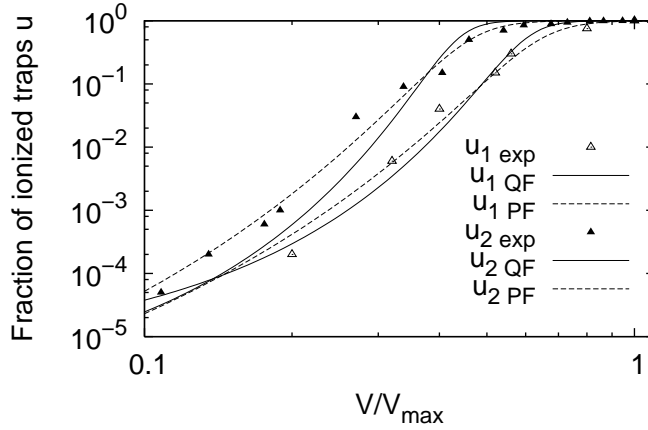


Fig. 6: Fraction of filled traps of the sample in Fig. 5 as function of the applied voltage normalized to the value $V_{max} = 2.5 \text{ V}$ corresponding to the voltage when $u_1 = 1$ and to the value $V_{max} = 7.4 \text{ V}$ corresponding to the voltage when $u_2 = 1$. Symbols refer to the experimental values deduced using Eq. (8) from the I-V data in Fig. 5 and lines to the fit using the statistics with the QF and PF models, respectively. Here $\Delta\epsilon_{QF} = 0.28 \text{ eV}$, $\gamma_{QF} = 0.28$, $\Delta\epsilon_{PF} = 0.49 \text{ eV}$ and $\beta_{PF} = 4.0 \times 10^{-4} (\text{Vm})^{1/2}$ for the case of u_1 , and $\Delta\epsilon_{QF} = 0.32 \text{ eV}$, $\gamma_{QF} = 0.11$, and $\Delta\epsilon_{PF} = 0.51 \text{ eV}$, $\beta_{PF} = 2.8 \times 10^{-4} (\text{Vm})^{1/2}$ for the case of u_2 .

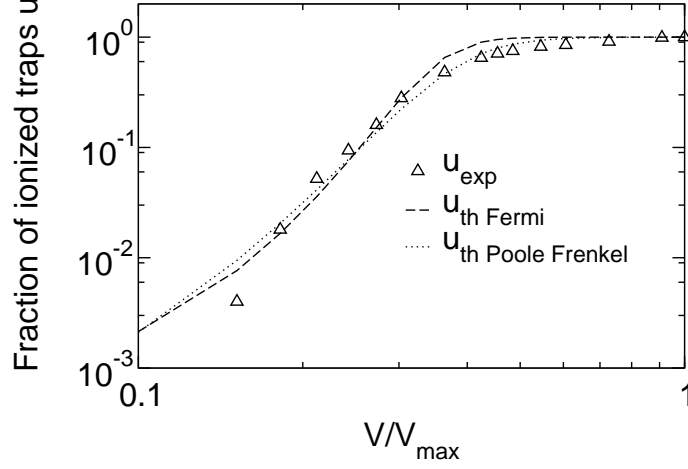


Fig. 7: Fraction of filled traps of the tetracene sample considered in [17] as function of the applied voltage normalized to the value $V_{max} = 3.3$ V corresponding to the voltage when $u = 1$. Symbols refer to the experimental values deduced using Eq. (8) from the I-V data of [17] and lines to the fit using the statistics with the QF and PF models, respectively. Here $\Delta\epsilon_{QF} = 0.20$ eV, $\gamma_{QF} = 0.21$, $\Delta\epsilon_{PF} = 0.31$ eV and $\beta_{PF} = 2.5 \times 10^{-4}$ (Vm) $^{1/2}$.

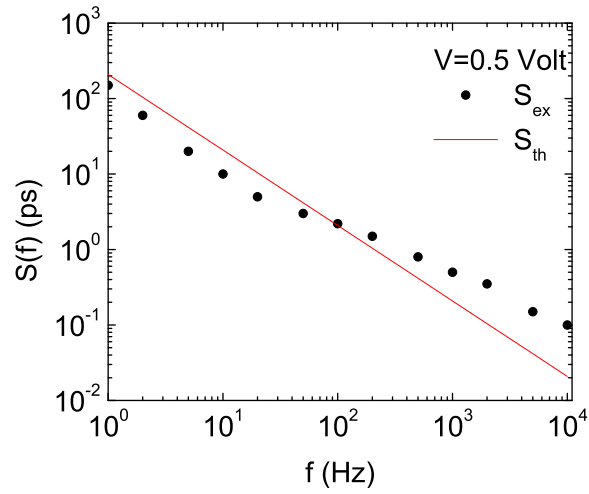


Fig. 8: Relative excess current-noise power spectral density $S(f)$ or the Au/Tc/Al sample of [17] for an applied voltage of 0.5 Volt at room temperature. Symbols refer to experiments, continuous line to theory (see text).

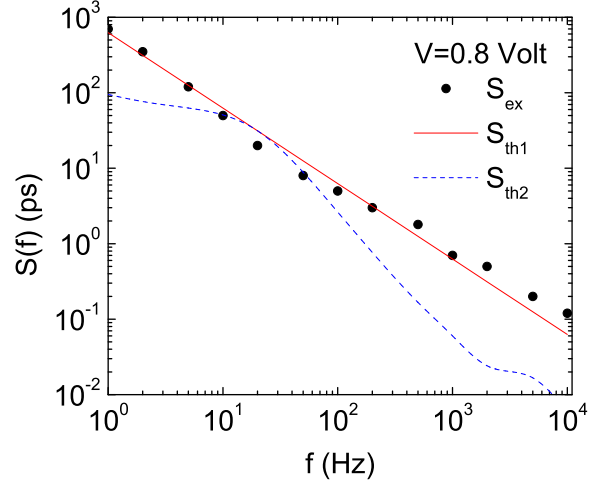


Fig. 9: Relative excess current-noise power spectral density $S(f)$ or the Au/Tc/Al sample of [17] for an applied voltage of 0.8 Volt at room temperature. Symbols refer to experiments, dashed line refers to theory using a single Lorentzian model for the trapping-detrapping noise, continuous line refers to theory using a broadened distribution of relaxation times for the trapping-detrapping noise (see text).

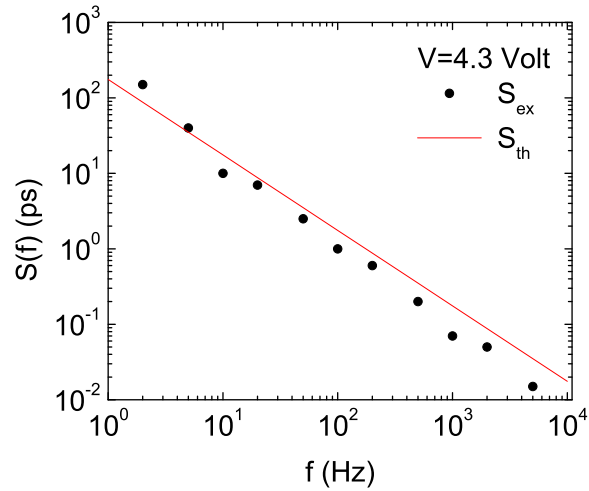


Fig. 10: Relative excess current-noise power spectral density $S(f)$ or the Au/Tc/Al sample of [17] for an applied voltage of 1.5 Volt at room temperature. Symbols refer to experiments, continuous line to theory.

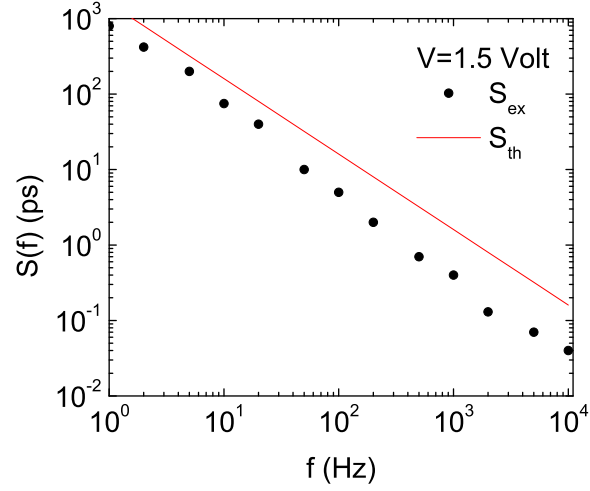


Fig. 11: Relative excess current-noise power spectral density $S(f)$ or the Au/Tc/Al sample of [17] for an applied voltage of 4.3 Volt at room temperature. Symbols refer to experiments, continuous line to theory.

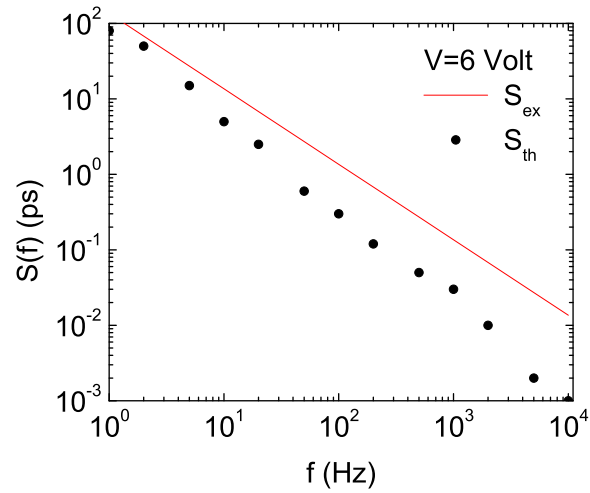


Fig. 12: Relative excess current-noise power spectral density $S(f)$ or the Au/Tc/Al sample of [17] for an applied voltage of 6 Volt at room temperature. Symbols refer to experiments, continuous line to theory.

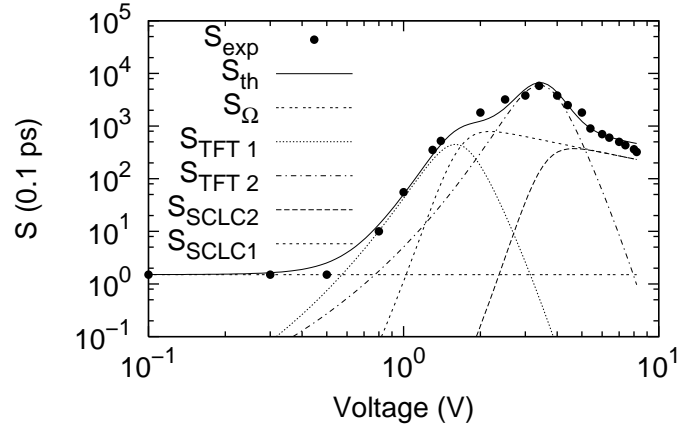


Fig. 13: Relative excess current-noise at $f = 20 \text{ Hz}$ and $T = 300 \text{ K}$ vs applied voltage for the pentacene sample of Fig. 5 and Fig. 6. Symbols refer to experiments. Dashed lines represent, respectively: (i) the Ohmic noise component at low voltages, (ii) the trapping-detrapping noise component associated with two trapping levels described by fraction of ionized concentrations u_1 and u_2 at intermediate voltages, (iii) the two Mott-Gurney (SCLC) noise components associated with $u_1 = 1$ and $u_2 = 1$ at the highest voltages. Solid line is obtained by assuming the five noise components according to the decomposition in Eq. (11) and using the fraction of filled traps reported in Fig. 6, see text.

